Discovering Spatial and Temporal Patterns in Climate Data Using Deep Learning Charles Anderson¹, Imme Ebert-Uphoff², Yi Deng², Melinda Ryan¹

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Abstract

Recent experiments involving the training of artificial neural networks with multiple layers, sometimes referred to as deep learning, have demonstrated the ability to automatically identify features that are critical to solving complex pattern classification. Similar to speech, atmospheric data sets often consist of multiple time series with unknown, complex interrelationships. In this project we seek to explore what kind of interrelationships can be discovered in climate data by applying the framework of artificial neural networks. As a first application we look at establishing relationships between top of atmosphere radiative flux and air/surface temperatures. This is an important application, since a thorough understanding of those relationships is essential for understanding the effect of CO2-induced warming on the Earth's energy balance and future climate.

NASA CERES and MERRA Data

lw – long wave flux at TOA st – skin temperature sw – short wave flux at TOA t1 – air temperature 500 hPa t2 – air temperature 50 hPa si – solar insolation at TOA daily data from March 1, 2000 – December 31, 2013 (5,054 days) low spatial resolution, 20 x 20 degrees, 7 latitudes, 18 longitudes Each sample composed of 7 x 18 x 6 = 756 variables.

1. Find low-dimensional (3) representation of each sample to study patterns among the 6 variables across spatial locations.

Objectives

- 2. Compare linear PCA with nonlinear dimensionality reduction achieved with multilayer neural networks.
- 3. Compare standard way of training autoencoder network with new sequential approach using mutiple networks.

The key idea is to train neural networks from data and then study the network properties as function of location and field.



Principal Components Analysis

X is matrix of 5054 x 756 samples.

 $USV^{T} = svd(X - \overline{X})$

Using first 3 components of V

Approximation error (RMS) is 77.9





Neural Network as Autoencoder

Trained to minimize error in approximation (scaled

Approximation error (RMS) is 23.0







Weights of individual units in first layer as function of location and field. Small magnitude values are not shown.



w Seg Unit 1

Multiple Neural Networks as Autoencoders

Networks with single representation unit trained with approach akin to Gram-Schmidt.



these ideas, so the initial results presented here serve as an illustration of the general process.