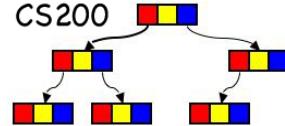


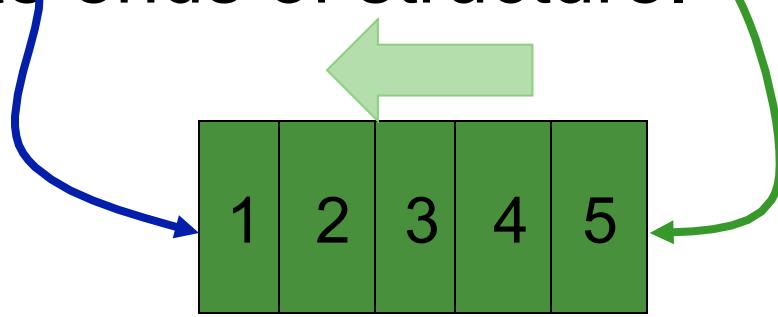
CS200: Queues

-
- Prichard Ch. 8

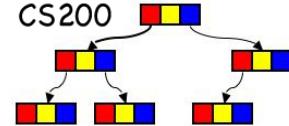


Queues

- First In First Out (FIFO) structure
- Imagine a checkout line
- So **removing** and **adding** are done from opposite ends of structure.



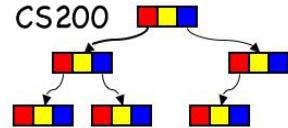
- add to tail (back), remove from head (front)
- Used in operating systems (e.g. print queue).



Possible Queue Operations

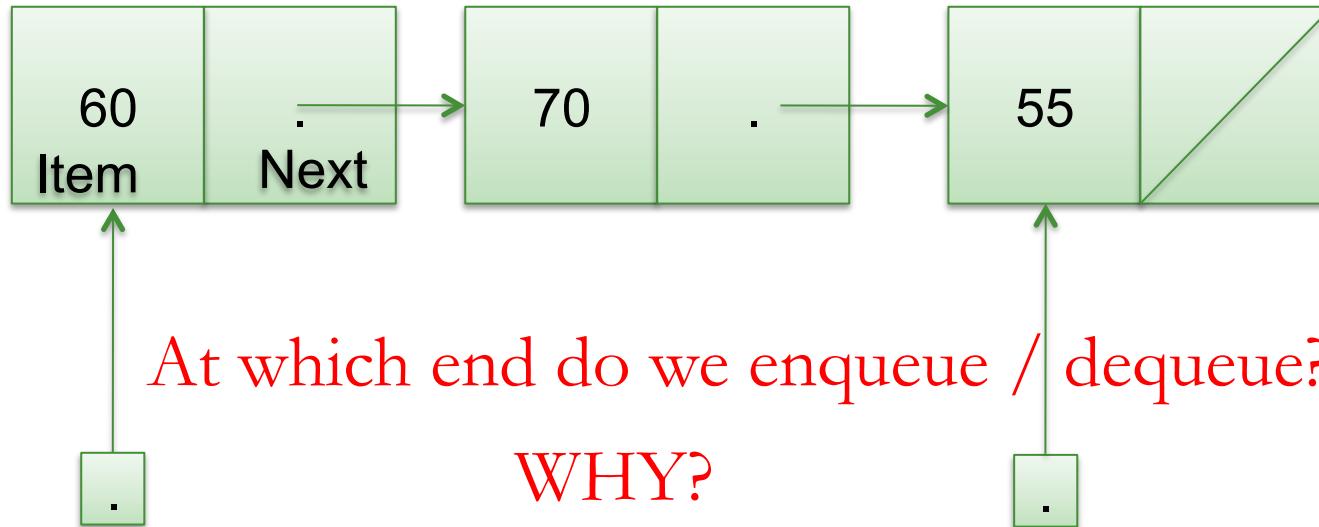
- **enqueue(in newItem: QueueItemType)**
 - Add new item at the **back** of a queue
- **dequeue() : QueueItemType**
 - Retrieve and remove the item at the **front** of a queue
- **peek() : QueueItemType**
 - Retrieve item from the **front** of the queue. Retrieve the item that was added earliest.
- **isEmpty() : boolean**
- **createQueue()**

Reference-Based Implementation 1



A linked list with two external references

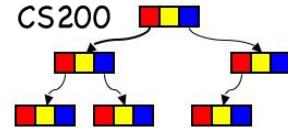
- A reference to the front
- A reference to the back



Reference of the First Node

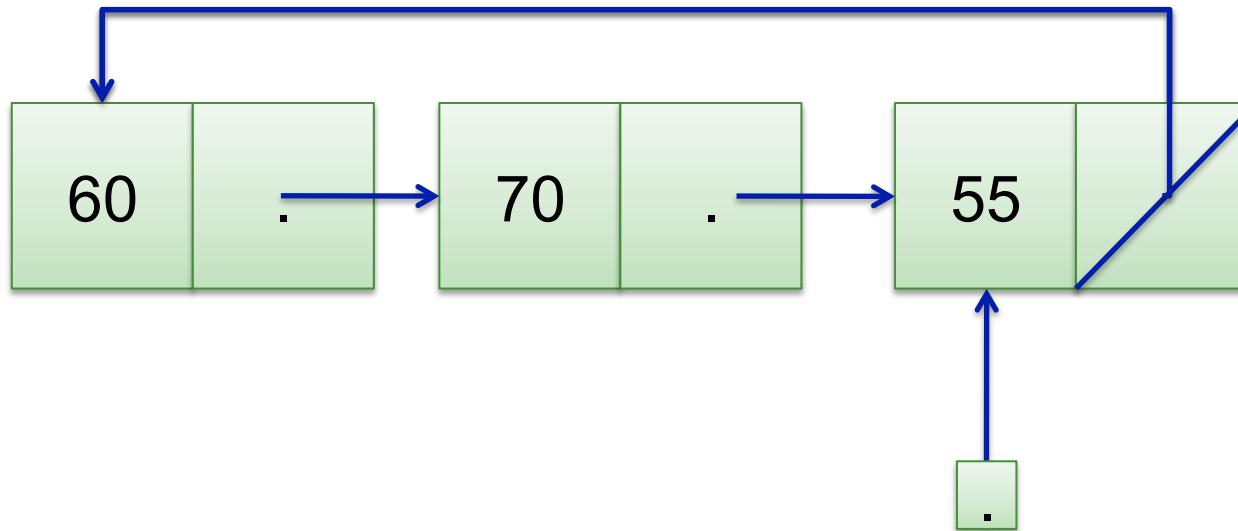
Reference of the Last Node

Reference-Based Implementation 2



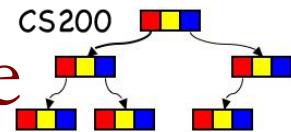
A circular linked list with one external reference

- ❑ `lastNode` references the back of the queue
- ❑ `lastNode.getNext()` references the front

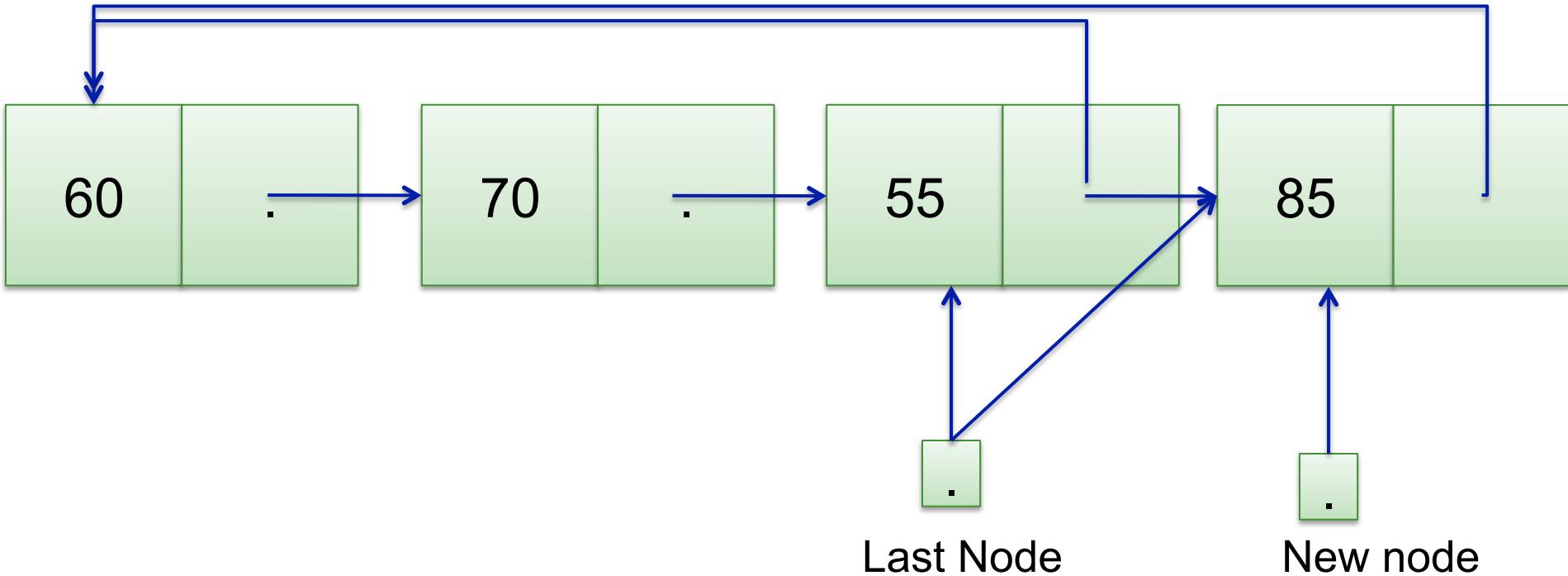


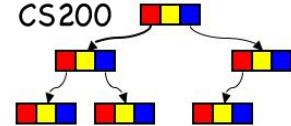
Last Node: node reference

Inserting an item into a nonempty queue



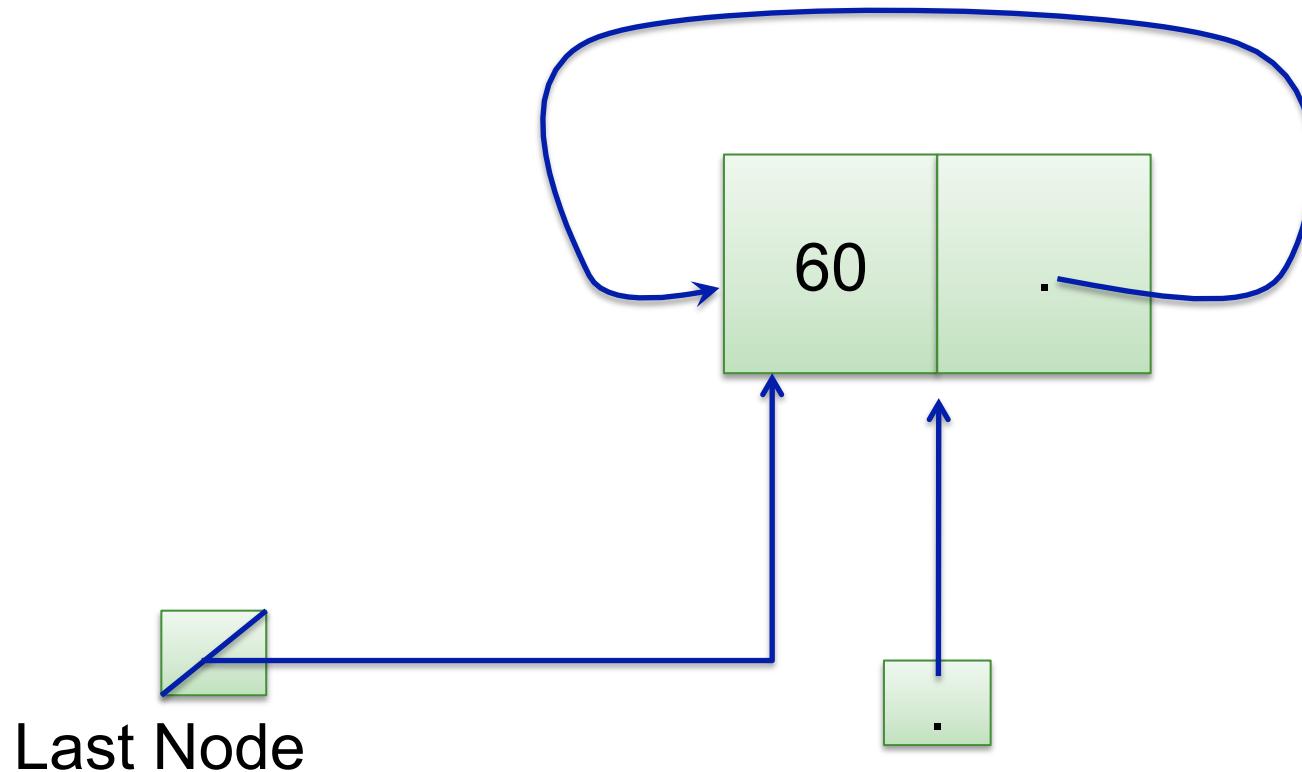
1. `newNode.next = lastNode.next;`
2. `lastNode.next = newNode;`
3. `lastNode = newNode;`

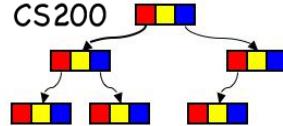




Inserting a New Item

- Insert a ***new item*** into the **empty queue**





Insert new item into the queue

```
public void enqueue (Object newItem){  
    Node newNode = new Node(newItem);
```

```
    if (isEmpty()) {
```

A. Empty queue

```
        newNode.next = newNode;
```

```
    } else {
```

B. items in queue

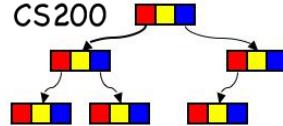
```
        newNode.next = lastNode.next;
```

```
        lastNode.next = newNode;
```

```
}
```

```
    lastNode = newNode;
```

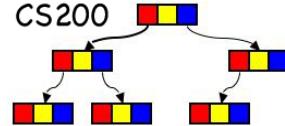
```
}
```



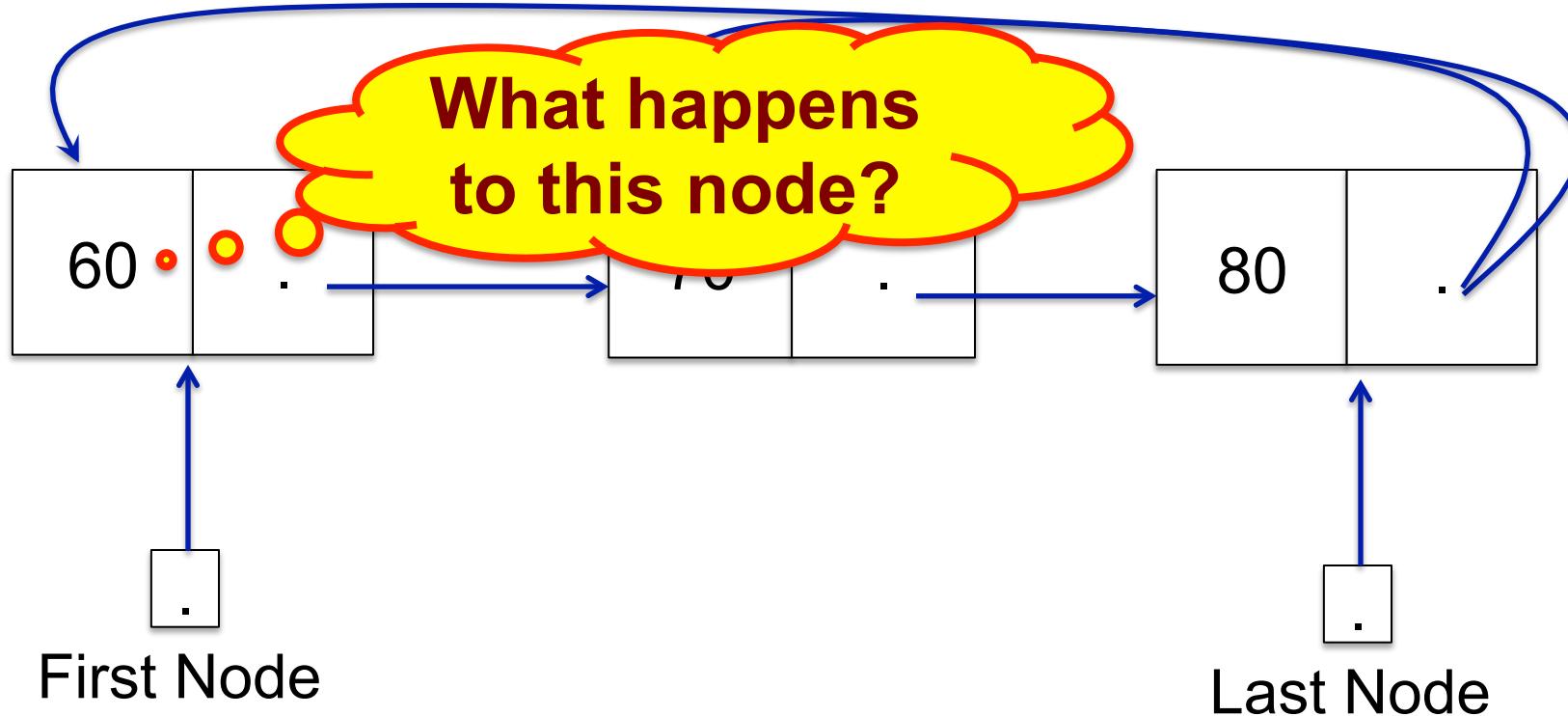
Removing an item from queue

```
public Object dequeue() throws QueueException{  
    if (!isEmpty()) {  
        Node firstNode = lastNode.next;  
        if (firstNode == lastNode) {  
            lastNode = null;          . . .  
        }  
        else {  
            lastNode.next = firstNode.next;  
        }  
        return firstNode.item;  
    }  
    else { exception handling..  
    }  
}
```

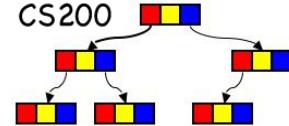
Why?



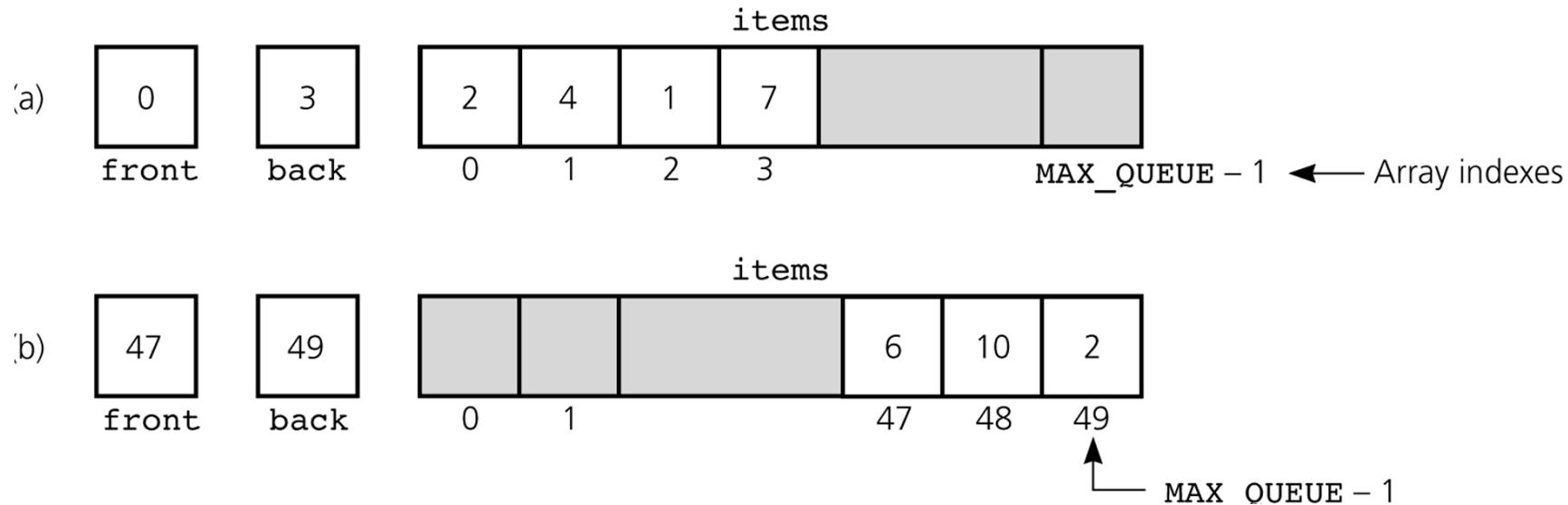
Removing an Item



```
Node firstNode = lastNode.next;  
if (firstNode == lastnode) {  
    lastNode = null; }  
else{lastNode.next = firstNode.next; }  
return firstNode.item;
```



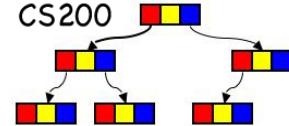
Naïve Array-Based Implementation



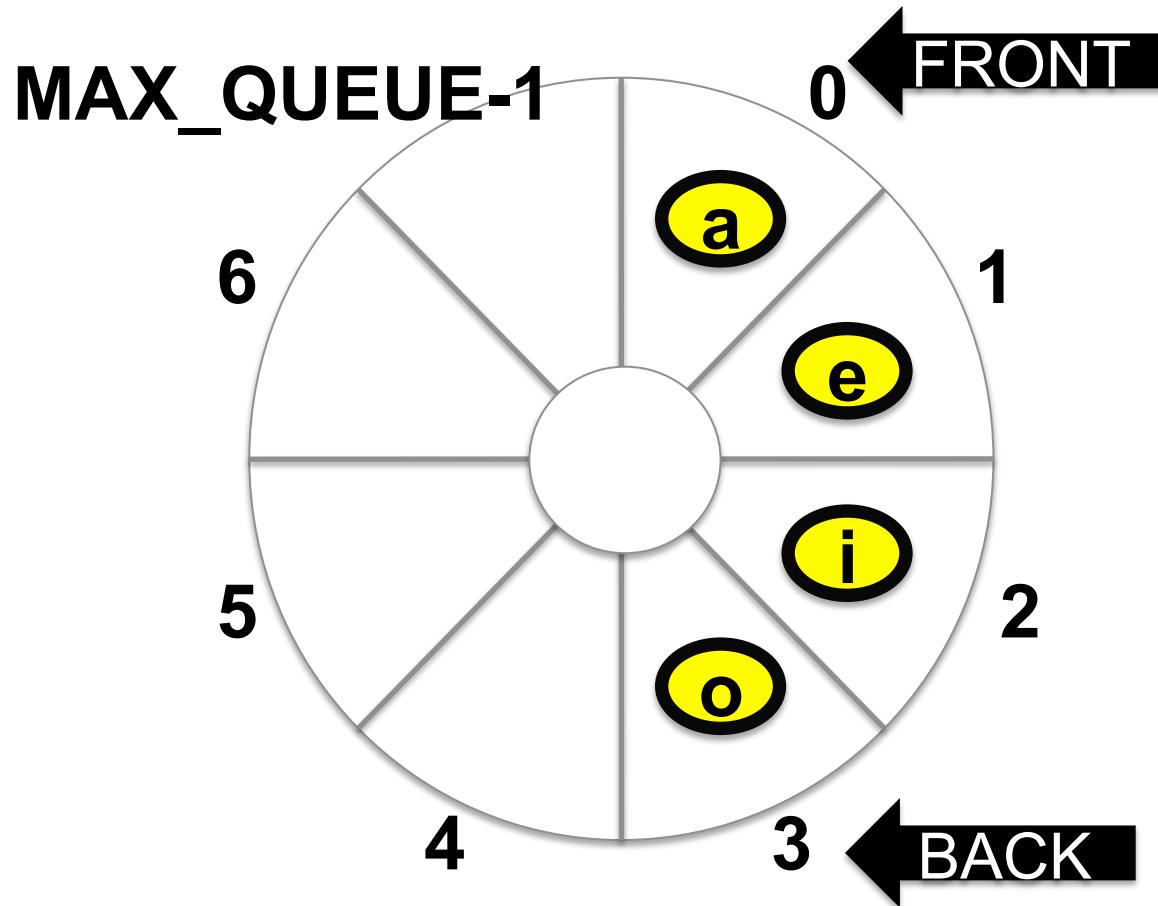
Drift wastes space

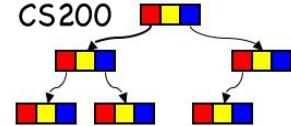
How do we initialize front and back?

(Hint: what does a queue with a single element look like?
what does an empty queue look like?)



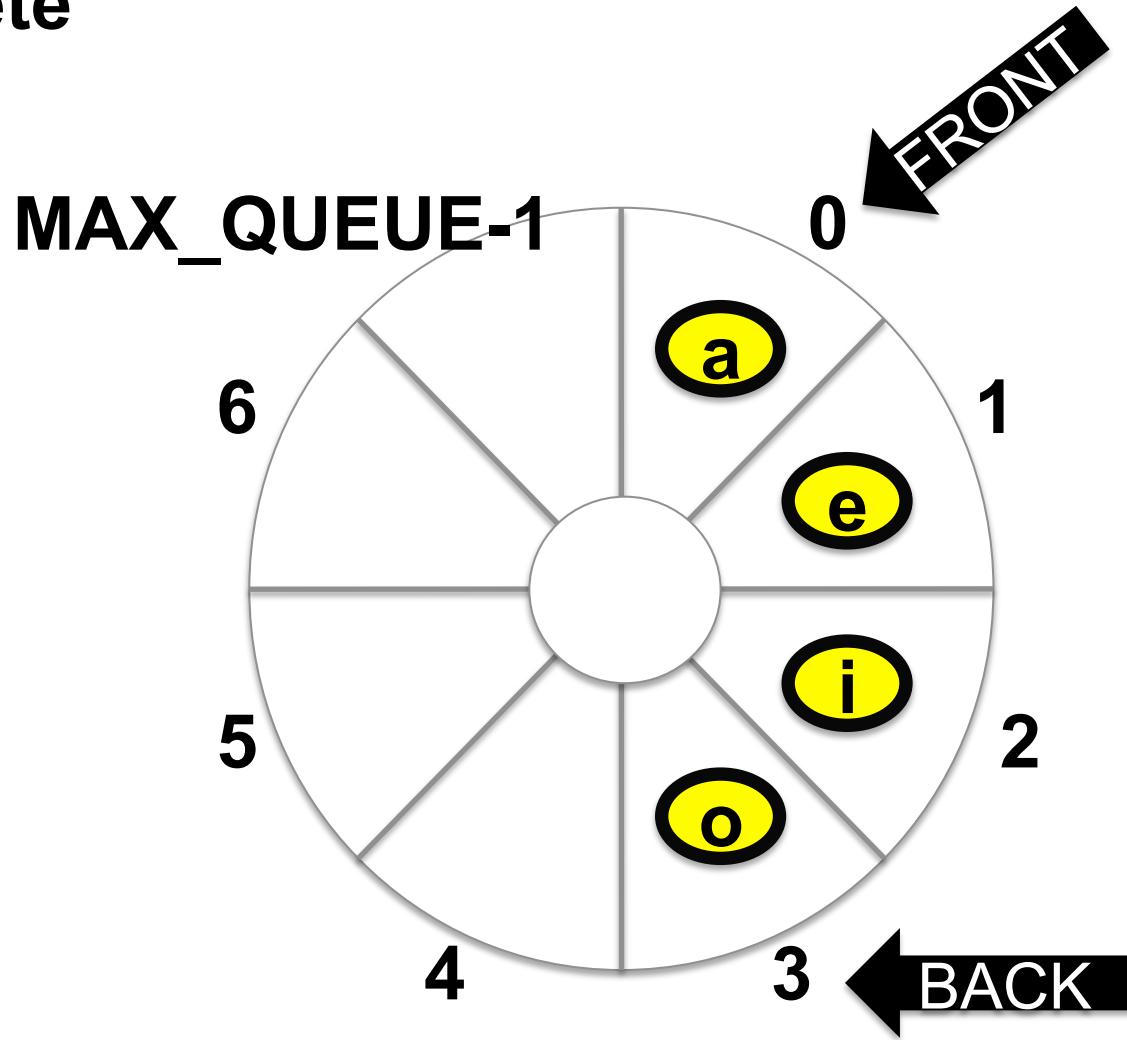
Solving Drift: Circular implementation of a queue

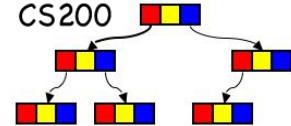




Solving Drift:

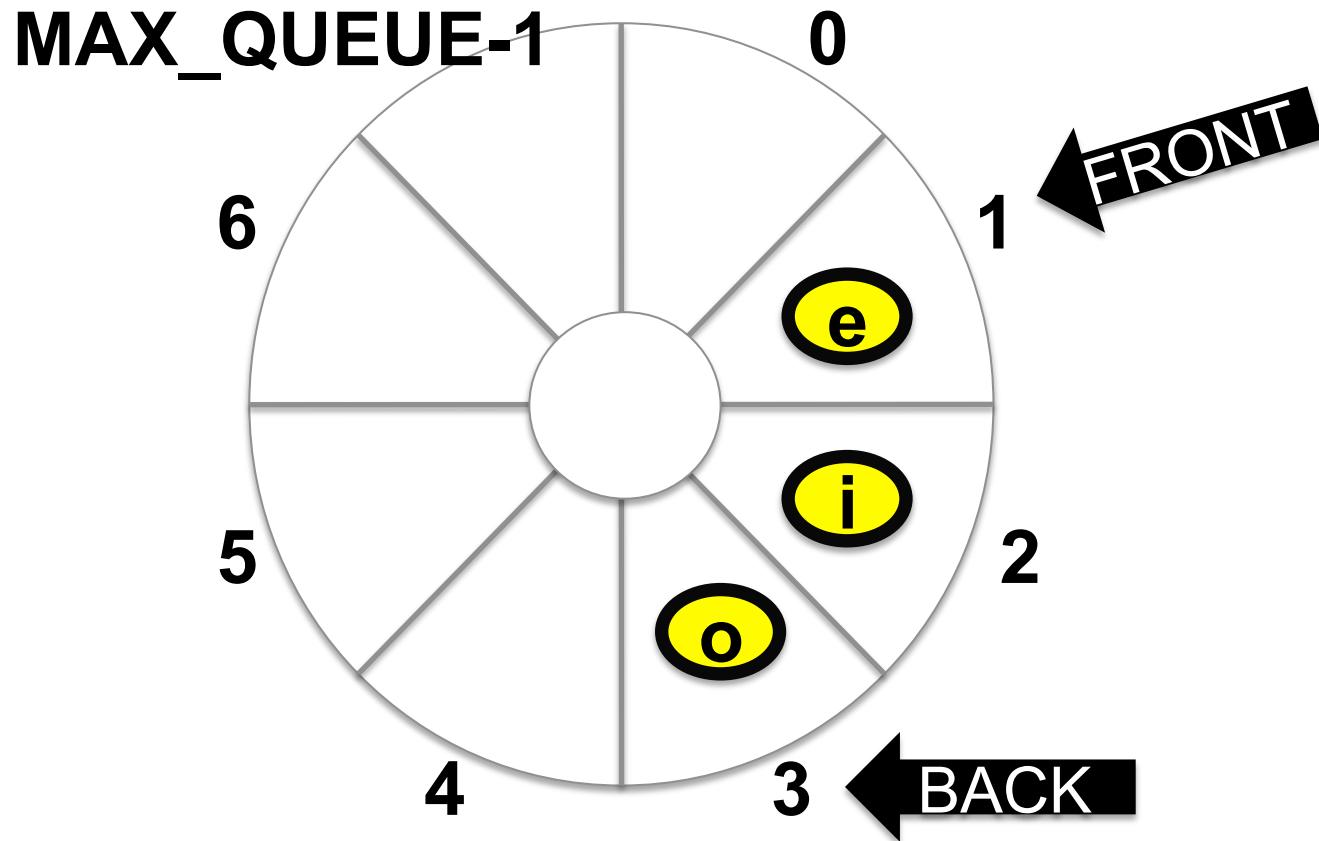
■ Delete

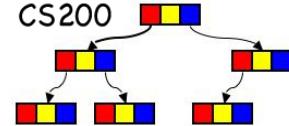




Solving Drift:

- Delete

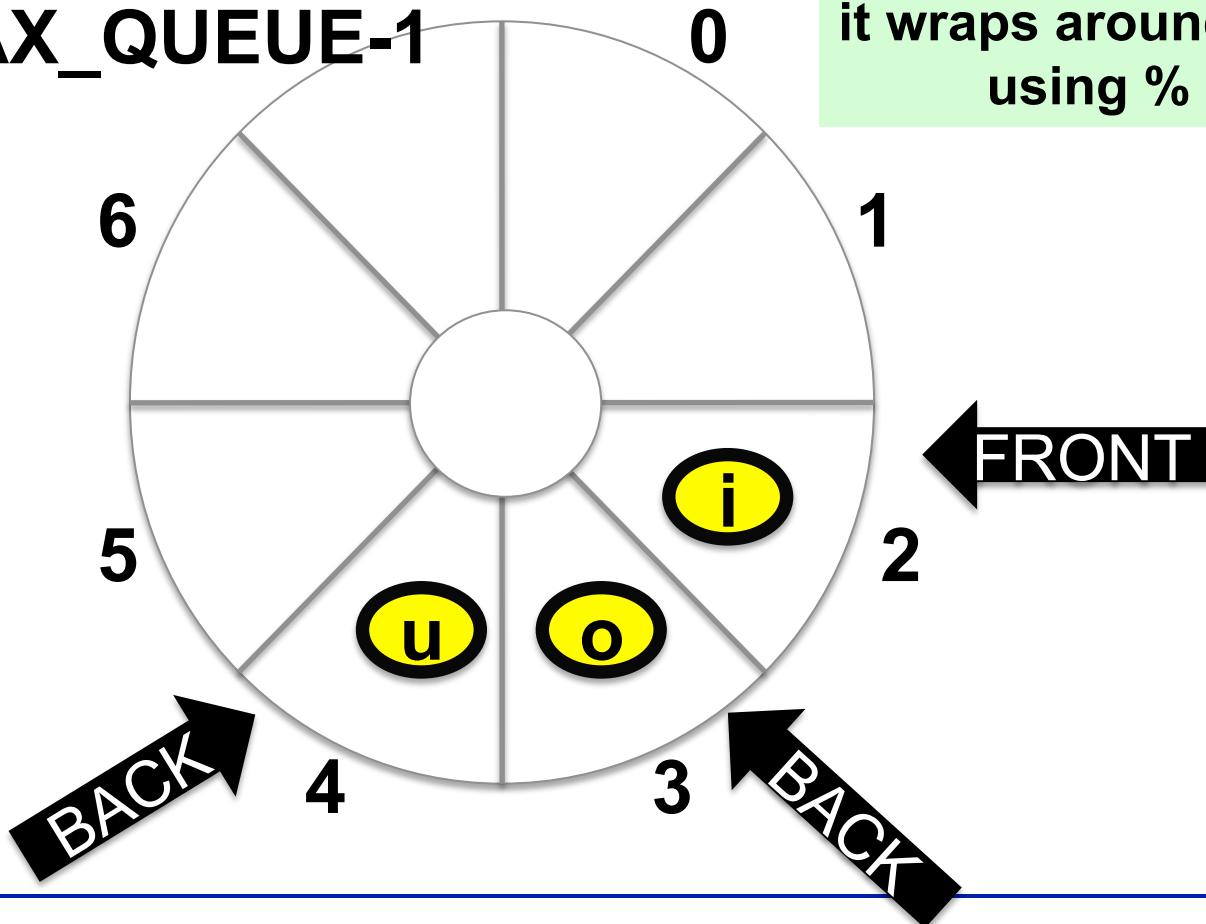




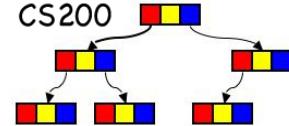
Solving Drift

■ Insert u

MAX_QUEUE-1

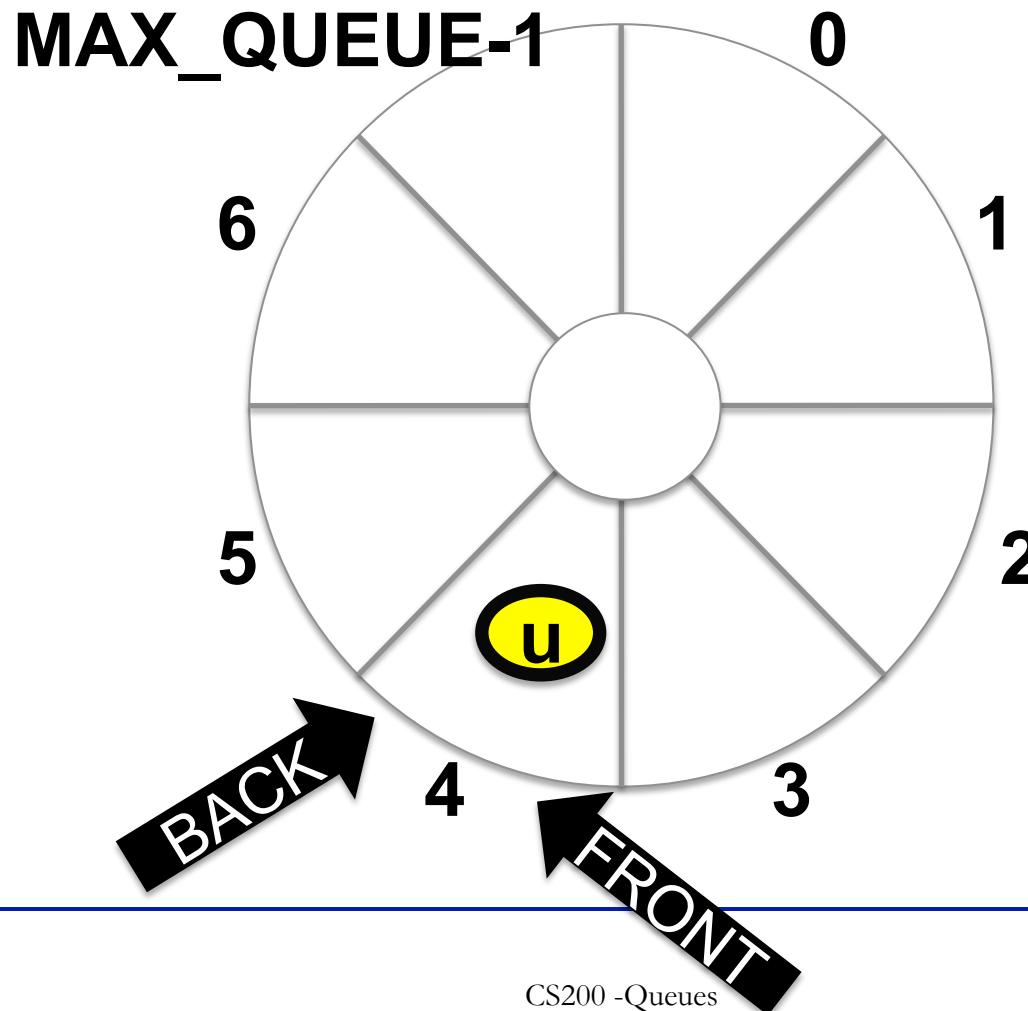


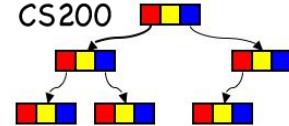
When either front or back advances past **MAX_QUEUE-1**, it wraps around (to 0: using % **MAX_QUEUE**)



Queue with Single Item

- *back* and *front* are pointing at the same slot.



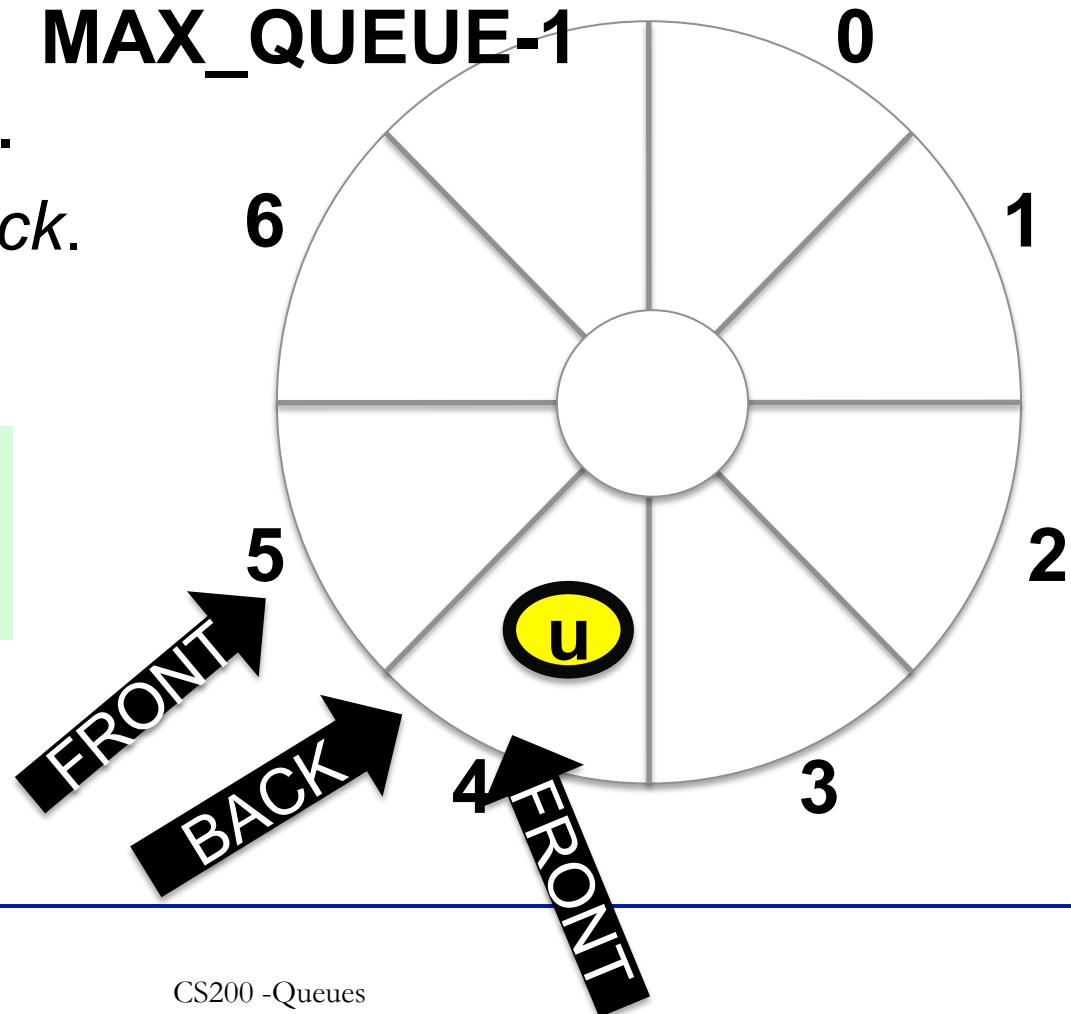


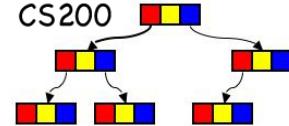
Empty Queue: remove Single Item

Remove last item.

- ❑ *front* passed *back*.

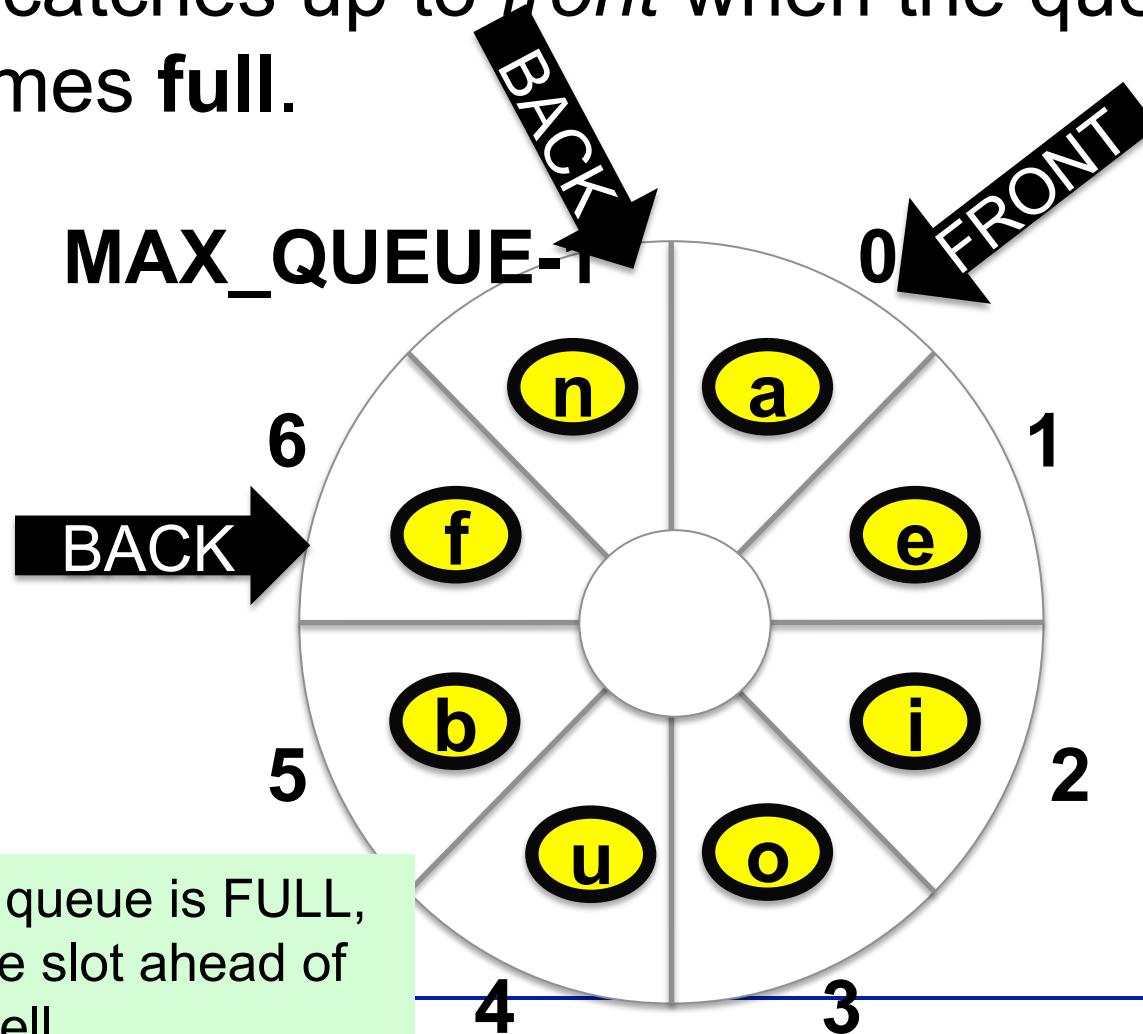
When the queue is EMPTY,
front is one slot ahead of
back.





Insert the last item

back catches up to *front* when the queue becomes full.



When the queue is FULL,
front is one slot ahead of
back as well.

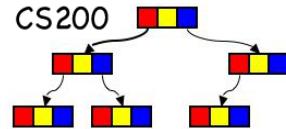
Problem?

Solution?

Maintain size:

0:empty
max_queue: full

Wrapping the values for front and back



- Initializing

```
front = 0
```

```
back = MAX_QUEUE-1
```

```
count = 0
```

- Adding

```
back = (back+1) % MAX_QUEUE;
```

```
items[back] = newItem;
```

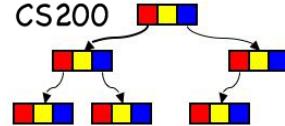
```
++count;
```

- Deleting

```
deleteItem = items[front];
```

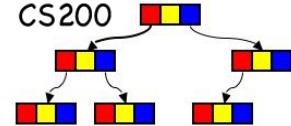
```
front = (front +1) % MAX_QUEUE;
```

```
--count;
```



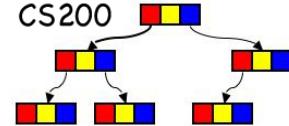
enqueue with Array

```
public void enqueue(Object newItem) throws QueueException{  
  
    if (!isFull()){  
        back = (back+1) % (MAX_QUEUE);  
        items[back] = newItem;  
        ++count;  
  
    }else {  
        throw new QueueException(your_message);  
    }  
}
```



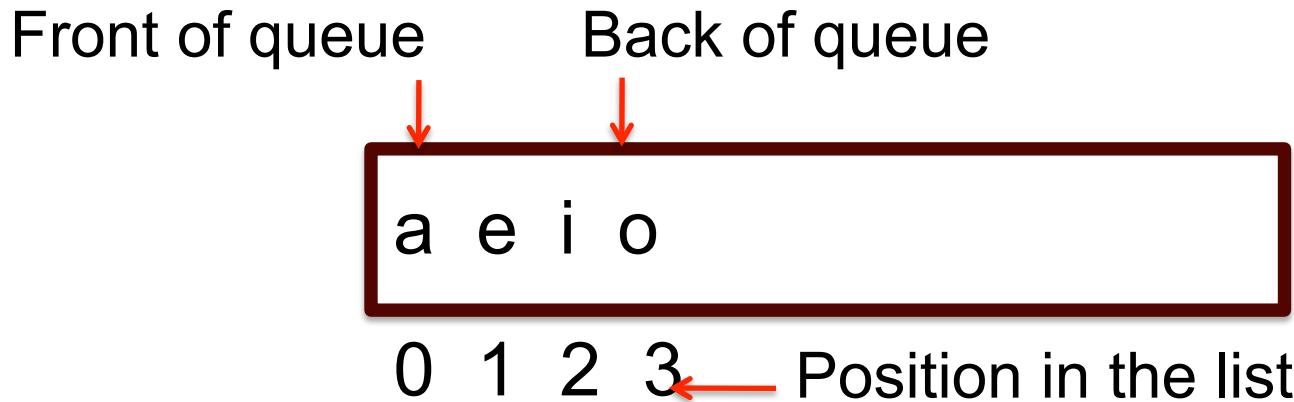
dequeue()

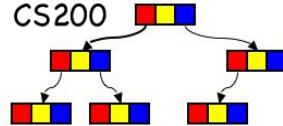
```
public Object dequeue() throws QueueException{  
    if (!isEmpty()) {  
        Object queueFront = items[front];  
        front = (front+1) % (MAX_QUEUE);  
        --count;  
        return queueFront;  
    } else {  
        throw new QueueException (your_message);  
    }  
}
```



Implementation with (ArrayList)

- You can implement operation **dequeue()** as the list operation **remove(0)**.
- **peek()** as **get(0)**
- **enqueue()** as **add(newItem) // at tail**

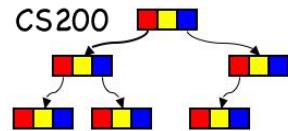




Questions

- *What is an advantage of the circular array implementation over linked list?*
 - A. Faster to enqueue
 - B. Uses less memory
 - C. Can more easily fix and enforce a maximum size
 - D. Fewer allocations

Expressions: infix to postfix conversion



Prichard: 7.4

Let's do some

$2 + 3 * 4$

$2 * 3 + 4$

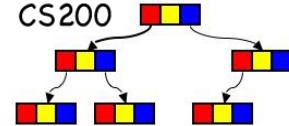
$2 + 3 - 4$

$2 + (3 - 4)$

$2 - 3 - 4$

$1 - (2 + 3 * 4) / 5$

observations?



Expressions: infix to postfix conversion

$$2 + 3 * 4 \rightarrow 2 3 4 * +$$

$$2 * 3 + 4 \rightarrow 2 3 * 4 +$$

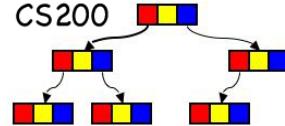
$$2 + 3 - 4 \rightarrow 2 3 + 4 -$$

$$2 + (3 - 4) \rightarrow 2 3 4 - +$$

$$2 - 3 - 4 \rightarrow 2 3 - 4 -$$

$$1 - (2 + 3 * 4) / 5 \rightarrow 1 2 3 4 * + 5 / -$$

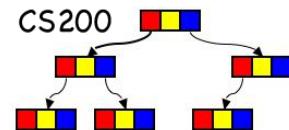
1. operand order does not change
2. operators come after second operand and obey associativity and precedence rules
3. () converts the inner expression to an independent postfix expression



infix to postfix implementation

- Use a **queue** to create the resulting postfix expression
 - the operands get immediately enqueued
- Use a **stack** to store the operators
 - operators get pushed on the stack
- when to pop and enqueue?
 - let's play

$2 + 3 * 4$



	stack	queue	action
--	-------	-------	--------

<u>2</u> + 3 * 4			enqueue
------------------	--	--	---------

<u>2</u> + 3 * 4		2	push
------------------	--	---	------

3 * 4	+	2	enqueue
-------	---	---	---------

* 4	+	2 3	push
-----	---	-----	------

*

<u>4</u>	+	2 3	enqueue
----------	---	-----	---------

*

	+	2 3 4	pop; enqueue
--	---	-------	--------------

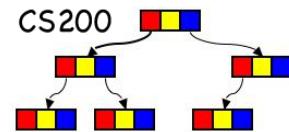
	+	2 3 4 *	pop; enqueue
--	---	---------	--------------

2 3 4 * +

$2 * 3 + 4$

stack	queue	action
-------	-------	--------

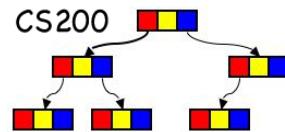
$\underline{2} * 3 + 4$		enqueue
$\underline{*} 3 + 4$	2	push
$\underline{3} + 4$	*	enqueue
$\underline{+} 4$	*	2 3 push?



NO!! Because * has higher precedence than + and so binds to 2 3

$\underline{+} 4$	*	2 3	pop; enqueue
$\underline{+} 4$		2 3 *	push
4	+	2 3 *	enqueue
	+	2 3 * 4	pop; enqueue
		2 3 * 4 +	

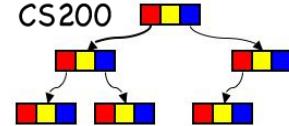
$2 - 3 + 4$



	stack	queue	action
$\underline{2} - 3 + 4$			enqueue
$\underline{-} 3 + 4$		2	push
$\underline{3} + 4$	-	2	enqueue
$\underline{\pm} 4$	-	2 3	push?

NO!! Because of left associativity – binds to 2 3

$\underline{+} 4$	-	2 3	pop; enqueue
$\underline{\pm} 4$		2 3 -	push
4	+	2 3 -	enqueue
	+	2 3 - 4	pop; enqueue
		2 3 - 4 +	



$2 - (3 + 4)$

stack

queue

action

$2 - (3 + 4)$

enqueue

$- (3 + 4)$

2

push

$(3 + 4)$

-

2

delete or push?

the expression inside the () makes its own independent postfix, so we push the (then use the stack as before until we see a) then we pop all the operators off the stack and enqueue them, until we see a (and delete the (

(

$3 + 4)$

-

2

enqueue

(

$+ 4)$

-

2 3

push

+

(

$4)$

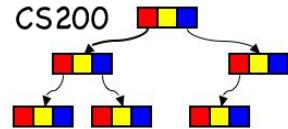
-

2 3

enqueue

continued next page

$2 - (3 + 4)$



stack

queue

action

+

(

4)

-

2 3

enqueue

+

(

)

-

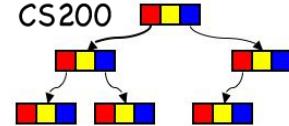
2 3 4

pop, enqueue until (, delete (

-

2 3 4 + pop, enqueue until stack empty

2 3 4 + -



in2post algorithm

when encountering

operand: enqueue

open: push

close:

pop and enqueue operators, until open on stack

pop open

operator:

if stack empty or top is open push, else

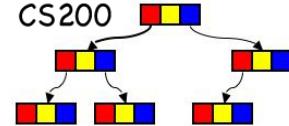
pop and enqueue operators with greater or equal

precedence, until operator with lower precedence on
stack, or open on stack, or stack empty

end of input:

pop and enqueue all operators until stack empty

Do it for: $1-(2+3*4)/5$



What about unary operators?

- e.g. **not** in logic expressions such as:

not true and false

not (true or false)

not not true

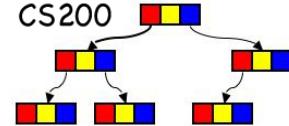
not has higher priority than **and**,

true and not false is true and (not false)

and has higher priority than **or**

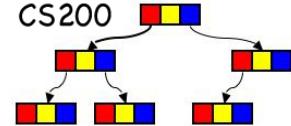
not is right associative

not not true is not (not true)



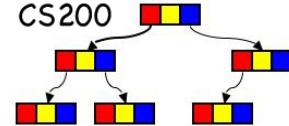
not true and false

	stack	queue	action
not true and false			push
true and false	not		enqueue
and false	not	true	not higher priority pop, enqueue not
and false		true not	push
false	and	true not	enqueue
	and	true not false	pop, enqueue
		true not false and	



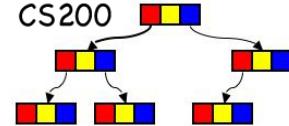
not(true or false)

	stack	queue	action
not (true or false)			push
(true or false)	not		push
true or false)	(enqueue
or false)	not	true	push
false)	or		enqueue
	(
	not	true	



not(true or false) continued

	stack	queue	action
or			
(
false)	not	true	enqueue
or			
(pop, enqueue
)	not	true false	until (
not		true false or	pop, enqueue
		true false or not	



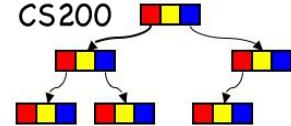
not not true

	stack	queue	action
not not true			push
not true	not		push or enqueue?

push! not is right associative, its operand is ahead of it

true	not		enqueue
	not		
	not	true	pop and enqueue

true not not



in2post algorithm

when encountering

operand: enqueue

open: push

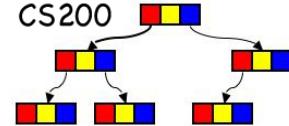
close:

pop and enqueue operators, until open on stack

pop open

end of input:

pop and enqueue all operators until stack empty



in2post continued

when encountering

and, or:

if stack empty or top is open push, else
pop and enqueue operators with greater or equal
precedence, until operator with lower precedence on
stack, or open on stack, or stack empty

not:

push

do it for not (not true or false)