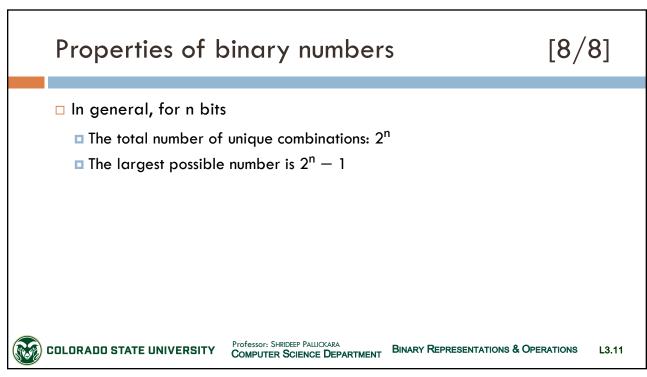


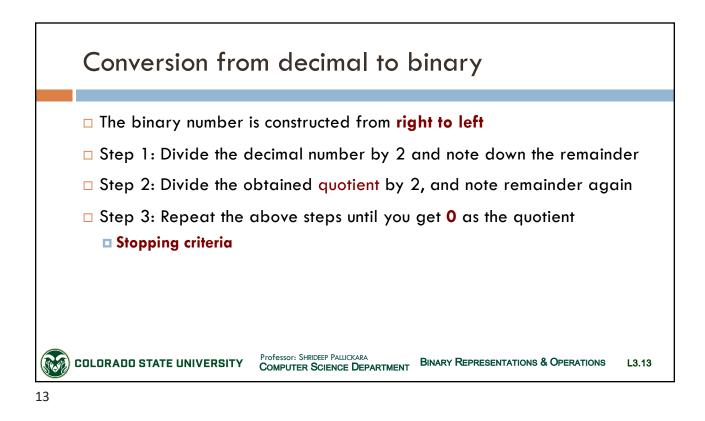
9

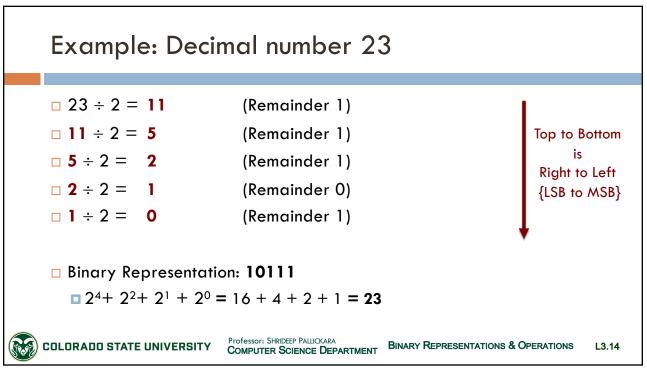
16 unique combinations of 0s and 1s in a 4-bit number,								
•	Binary	Decimal						
ranging in decimal value from 0 to 15	0000	0						
	0001	1						
We could determine the largest	0010	2						
C C	0011	3						
possible number that 4 bits can	0100	4						
represent by setting all the bits	0101	5						
to one, giving us <mark>0b</mark> 1111	0110	6						
That is 15 in decimal	0111	7						
	1000	8						
If we add 1 to account for	1001	9						
representing 0, then we come to	1010	10						
	1011	11						
our total of 16	1100	12						
	1101	13						
	1110	14						
COMPUTER SCIENCE DEPARTMENT DINART REPRESENT	1111	15						

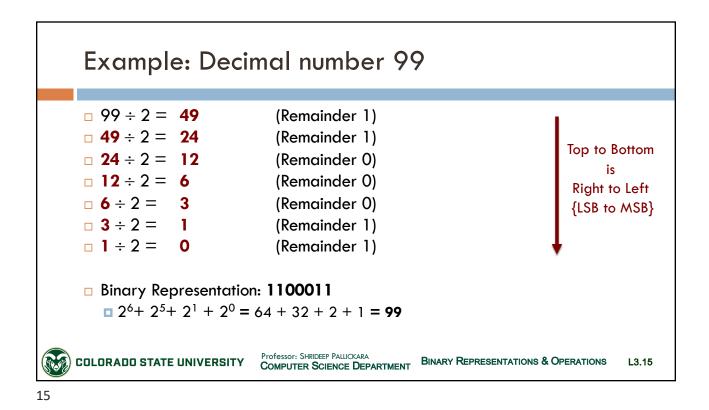


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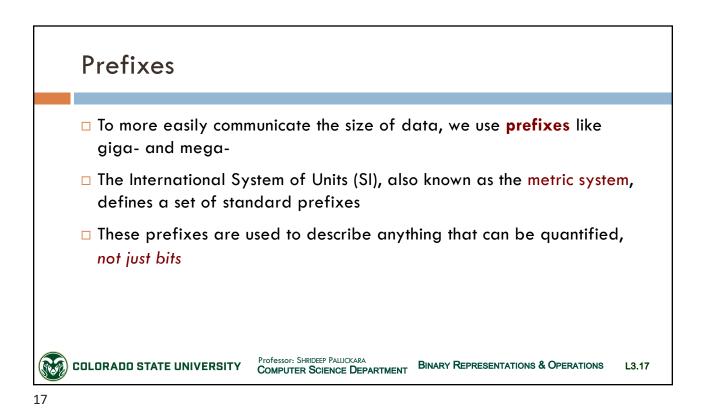




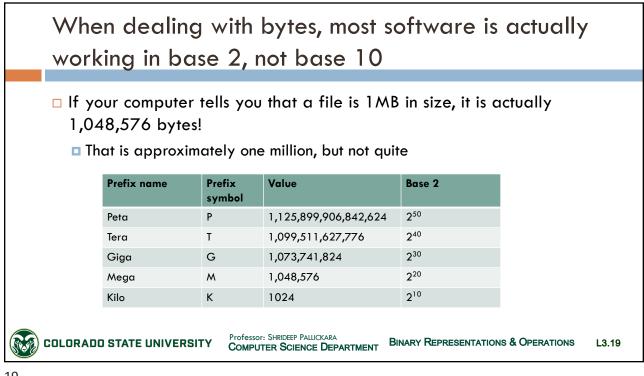




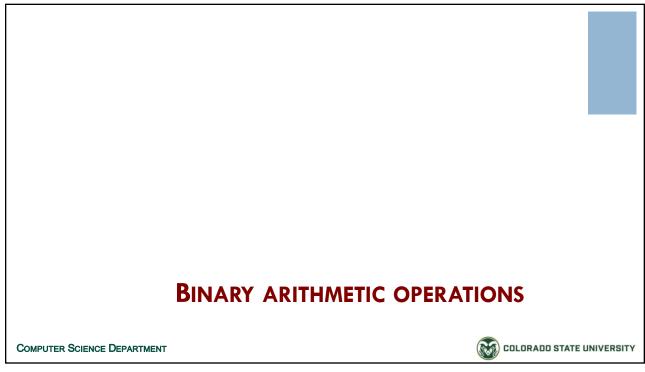


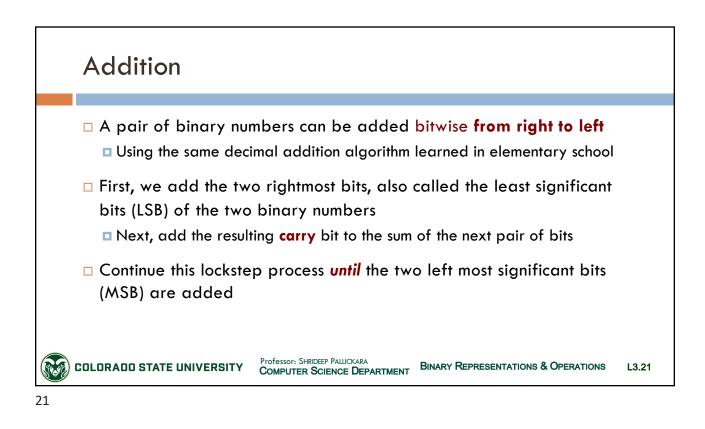


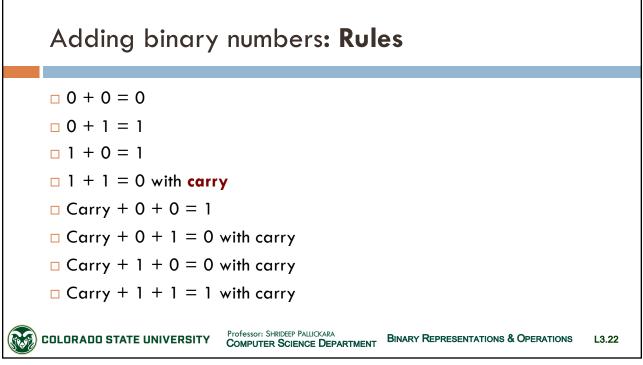
Com	mon SI P	refixes				
	Prefix name	Prefix symbol	Base-10 value	English word		
	Peta	Р	10 ¹⁵	quadrillion		
	Tera	Т	10 ¹²	trillion		
	Giga	G	10 ⁹	billion		
	Mega	Μ	106	million		
	Kilo	К	10 ³	thousand		
	centi	c	10-2	hundredth		
	milli	m	10 ⁻³	thousandth		
	micro	μ	10-6	millionth		
	nano	n	10 ⁻⁹	billionth		
	pico	р	10-12	trillionth		
These p	refixes are used	to describe any	thing that can b	oe quantified, no	ot just bits.	
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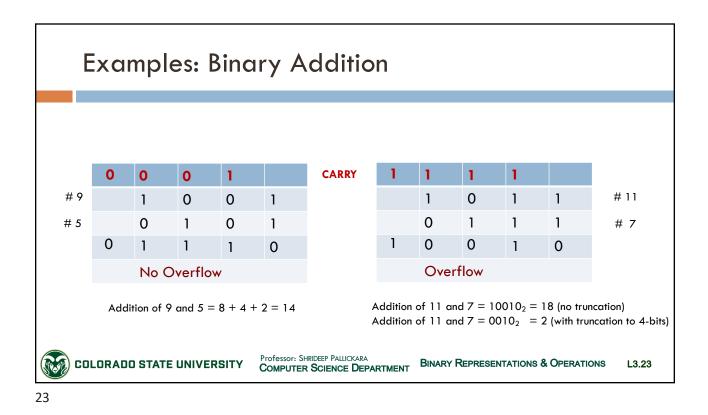


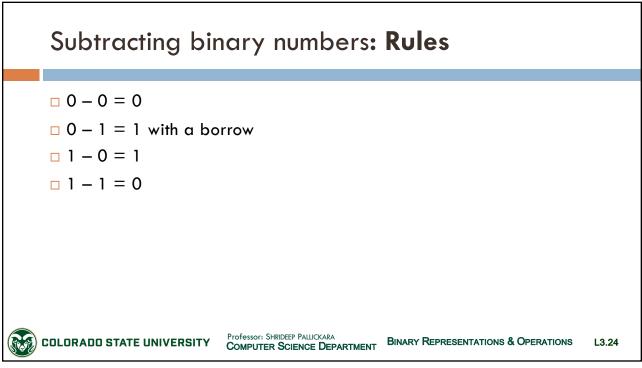


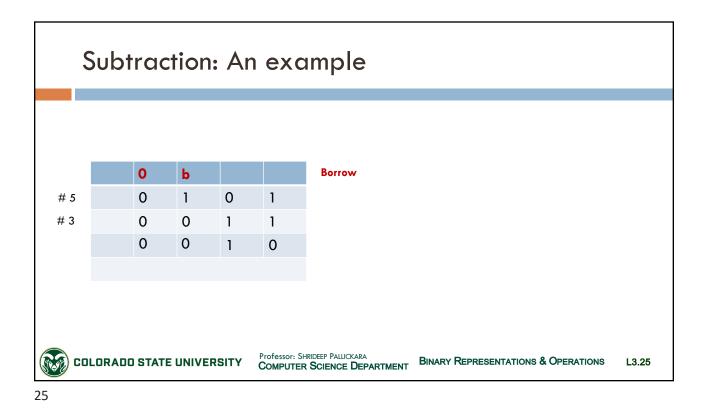


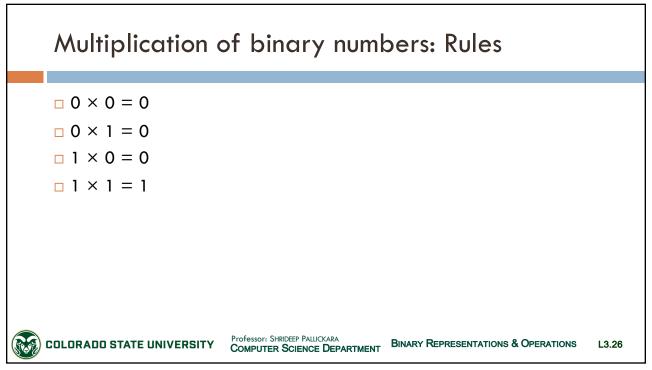


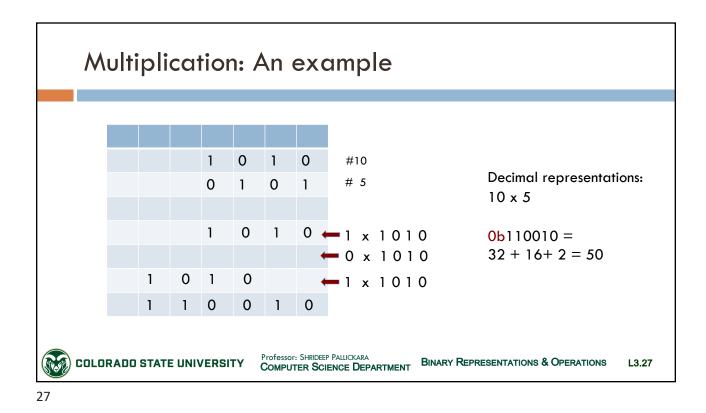


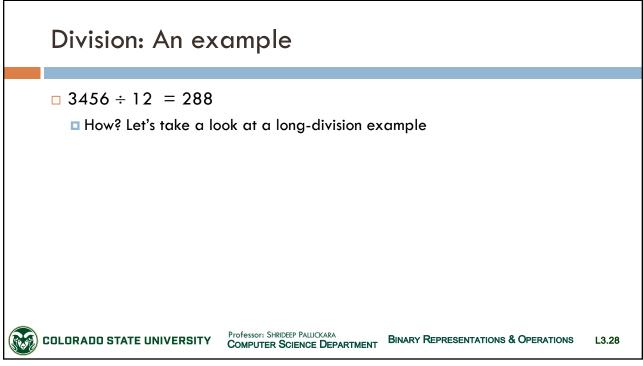


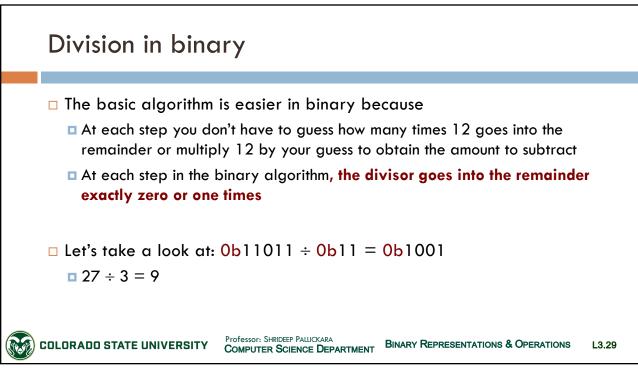




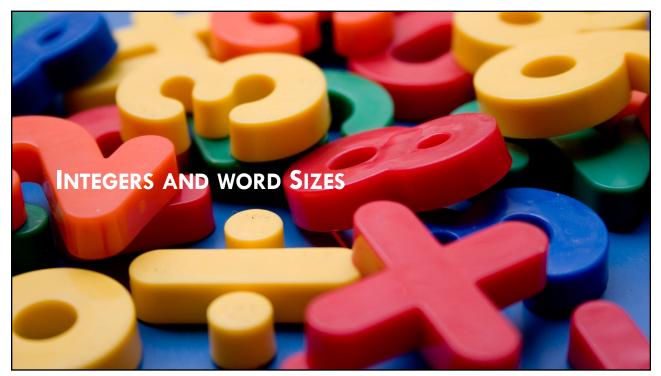


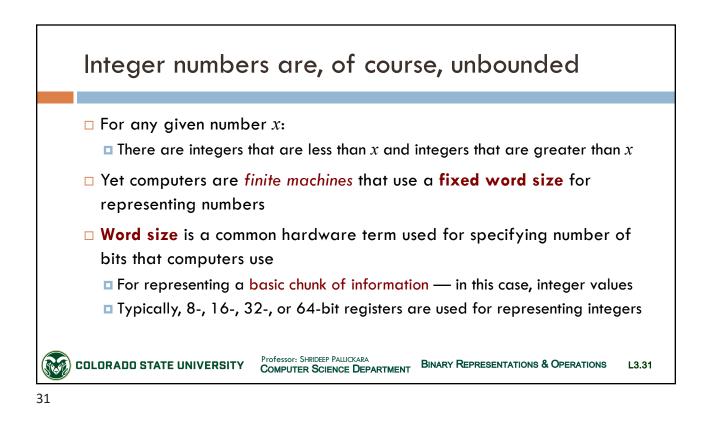


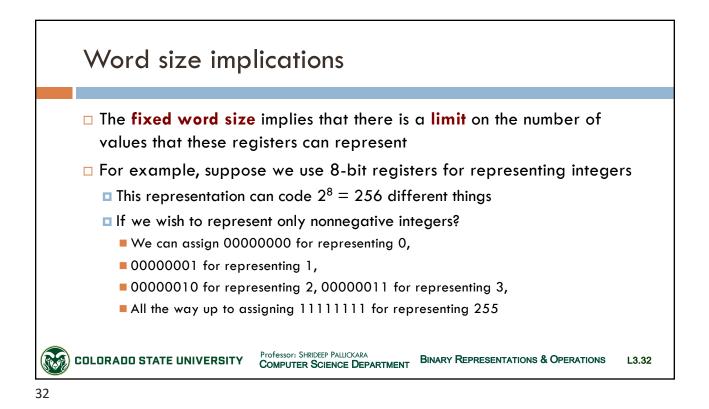


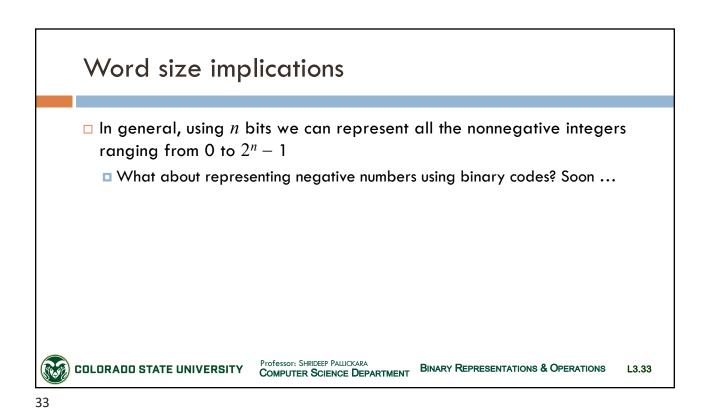


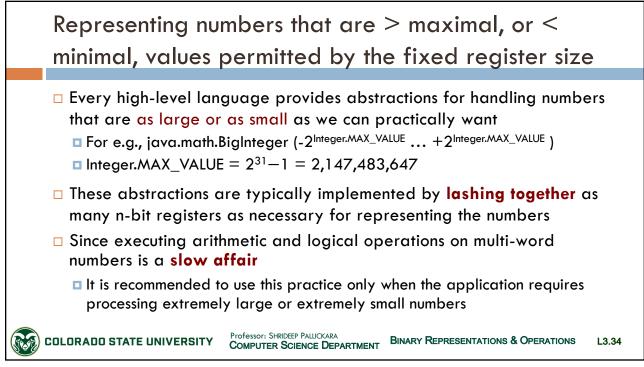






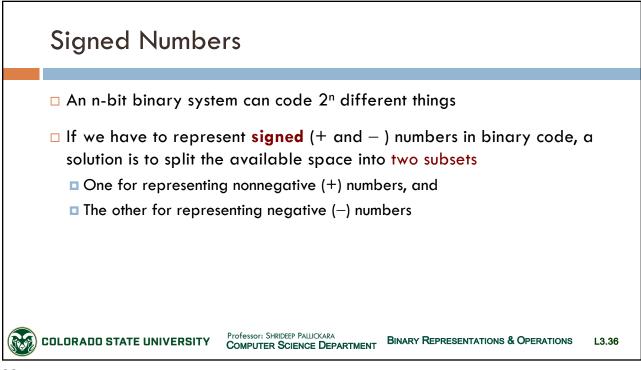


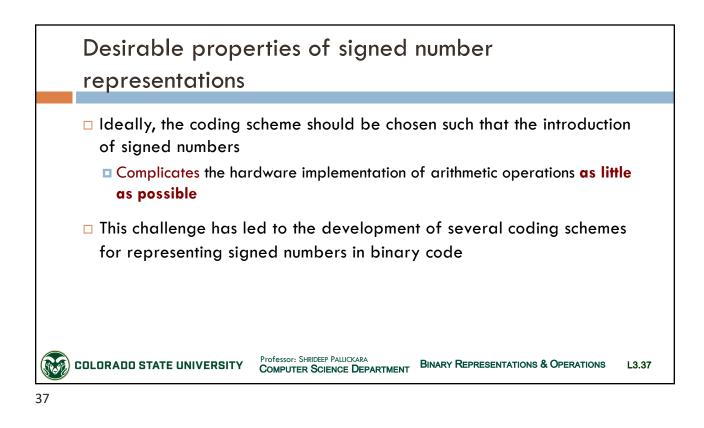


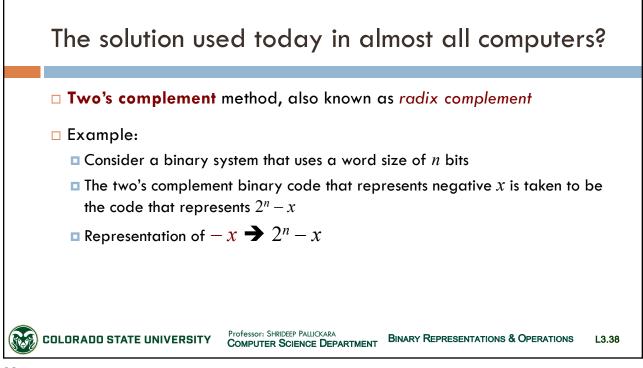


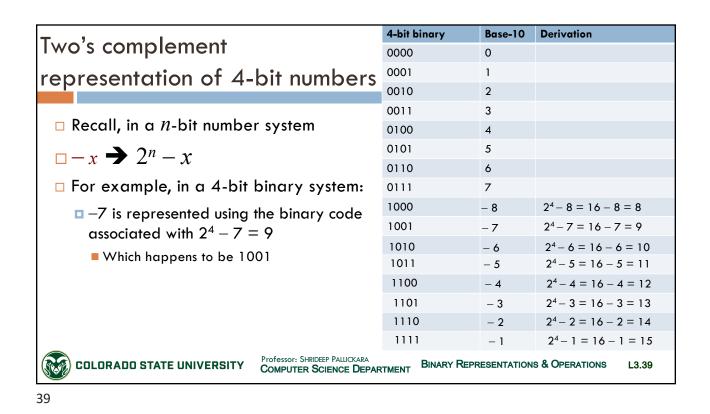


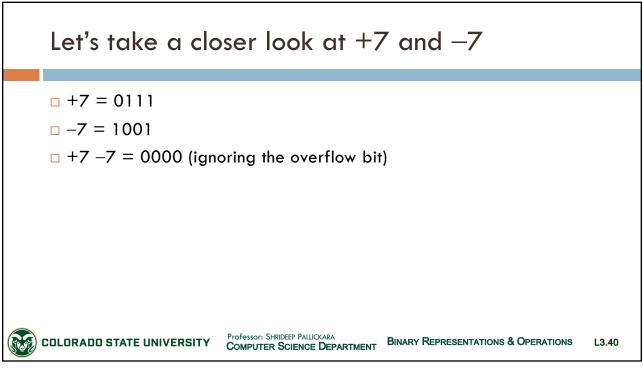
35







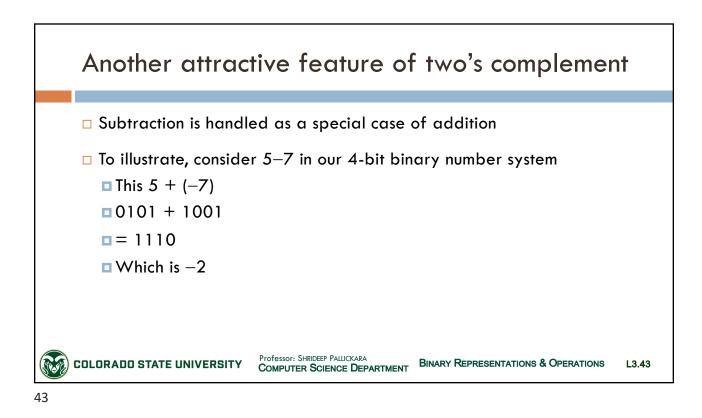


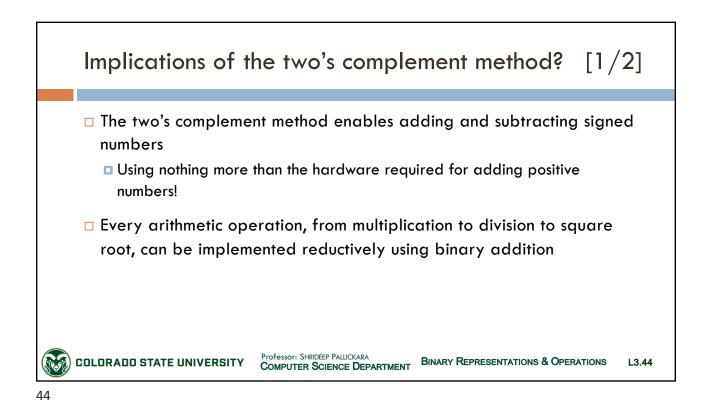


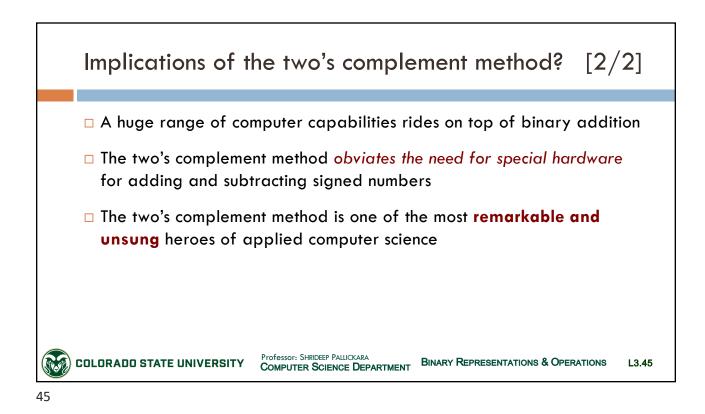
An <i>n</i> -bit binary system with two's complement							
representation has attractive properties	0000	0					
	0000	1					
\Box The system codes 2^n signed numbers,	0010	2					
ranging from -2^{n-1} to $(2^{n-1}-1)$	0011	3					
	0100	4					
The code of any nonnegative number	0101	5					
begins with a 0	0110	6					
The code of any negative number begins	0111	7					
with a 1	1000	-8	(16-8)				
	1001	-7	(16–7)				
\square To obtain the binary code of $-x$ from the	1010	-6	(16-6)				
binary code of x ?	1011	-5	(16-5)				
Flip all the bits of x and add 1 to the result	1100	-4	(16-4)				
	1101	-3	(16-3)				
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COMPUTER SCIENCE DEPARTMENT	1111	-1	(16-1)				

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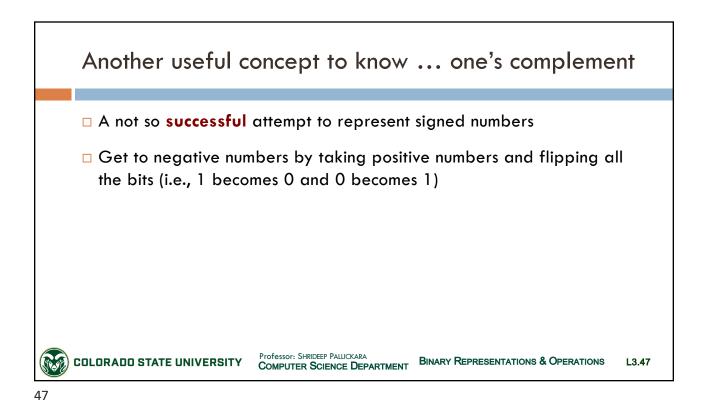
	Two's complement: binary code of $-x$ from the binary code of x ?						0000 0001 0010	0 1 2	
	\Box Flip all the bits of x and add 1 to the result							3	
	4-bit binary	Base-10	Flip the bits	Add 1	Base-10		0101 0110	5 6	
	0001	1	1110	1111	- 1		0111	7	
	0010	2	1101	1110	- 2		1000	-8	(16-8)
	0011	3	1100	1101	- 3		1001	-7	(16-7)
	0100	4	1011	1100	- 4		1010	-6	(16-6)
	0101	5	1010	1011	- 5		1011	-5	(16-5)
	0110	6	1001	1010	- 6		1100	-4	(16-4)
	0111	7	1000	1001	- 7		1101	-3	(16-3)
	1000	8	0111	1000	- 8		1110	-2	(16-2)
							1111	-1	(16-1)
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	Sign	2 ²	2 ¹	2 ⁰	Decimal	
One's complement	0	1	1	1	+7	
	0	1	1	0	+6	
	0	1	0	1	+5	
Flipping each bit of	0	1	0	0	+4	
0111 (+7) yields 1000 (-7)	0	0	1	1	+3	
Has two different	0	0	1	0	+2	
representations for zero	0	0	0	1	+1	
	0	0	0	0	+0	
	1	1	1	0	-1	
	1	1	0	1	-2	
	1	1	0	0	-3	
	1	0	1	1	-4	
	1	0	1	0	-5	
	1	0	0	1	-6	
	1	0	0	0	-7	
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