

## Solving Problems using a Computer

- Methodologies for creating computer programs that perform a desired function.


## - Problem Solving

- How do we figure out what to tell the computer to do?
- Convert problem statement into algorithm, using stepwise refinement.
- Convert algorithm into LC-3 machine instructions.


## - Debugging

- How do we figure out why it didn't work?
- Examine registers and memory, set breakpoints, etc.

Time spent on the first can reduce time spent on the second!
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## Stepwise Refinement

- Also known as systematic decomposition.
- Start with problem statement:
"We wish to count the number of occurrences of a character in a file. The character in question is to be input from the keyboard; the result is to be displayed on the monitor."
- Decompose task into a few simpler subtasks.
- Decompose each subtask into smaller subtasks, and these into even smaller subtasks, etc.... until you get to the machine instruction level.

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## Problem Statement

- Because problem statements are written in English, they are sometimes ambiguous and/or incomplete.
- Where is "file" located? How big is it, or how do I know when I' ve reached the end?
- How should final count be printed? A decimal number?
- If the character is a letter, should I count both upper-case and lower-case occurrences?
- How do you resolve these issues?
- Ask the person who wants the problem solved, or
- Make a decision and document it.


## Three Basic Constructs

- There are three basic ways to decompose a




## Conditional

- If condition is true, do Subtask 1; else, do Subtask 2.




## Problem Solving Skills

- Learn to convert problem statement into step-by-step description of subtasks. Like a puzzle, or a "word problem" from grammar school math.
- What is the starting state of the system?
- What is the desired ending state?
- How do we move from one state to another?
- Recognize English words that correlate to three basic constructs:
- "do A then do B" $\Rightarrow$ sequential
- "if G , then do H " $\Rightarrow$ conditional
- "for each $X$, do $Y$ " $\Rightarrow$ iterative
- "do Z until W" $\Rightarrow$ iterative


## LC-3 Control Instructions

- How do we use LC-3 instructions to encode the three basic constructs?


## - Sequential

- Instructions naturally flow from one to the next, so no special instruction needed to go from one sequential subtask to the next.


## - Conditional and Iterative

- Create code that converts condition into N, Z, or P. Example: "Is R0 = R1?"
Code: Subtract R1 from R0; if equal, Z bit will be set.
- Use BR instruction to transfer control to proper subtask.





## The Last Step: LC-3 Instructions

- Use comments to separate into modules and



## Debugging

- You' ve written your program and it doesn't work.
- Now what?
- What do you do when you' re lost in a city?
$\times$ Drive around randomly and hope you find it?
$\checkmark$ Return to a known point and look at a map?
$\checkmark$ In debugging, the equivalent to looking at a map is tracing your program.
- Examine the sequence of instructions being executed.
- Keep track of results being produced.
. Compare result from instructions to the expected result.


## Debugging Operations

- Any debugger should provide means to:

Display values in memory and registers.
Deposit values in memory and registers.
Execute instruction sequence in a program.
Stop execution when desired.

1. Different programming levels offer different tools.

- High-level languages (C, Java, ...) usually have source-code debugging tools.
- For debugging at the machine instruction level:
- simulators
- operating system "monitor" tools
- in-circuit emulators (ICE)
- plug-in hardware replacements that give instruction-level control



## Types of Errors

## - Syntax Errors

- You made a typing error that resulted in an illegal operation.
- Not usually an issue with machine language, because almost any bit pattern corresponds to a legal instruction.
- In high-level languages, these are often caught during the translation from language to machine code.
- Logic Errors
- Your program is legal, but wrong, so the results don't match the problem statement.
- Trace the program to see what's really happening and determine how to get the proper behavior.
- Data Errors
- Input data is different than what you expected.
- Test the program with a wide variety of inputs.
- Execute the program one piece at a time, examining register and memory to see results at each step.


## - Single-Stepping

- Execute one instruction at a time.
- Tedious, but useful to help you verify each step of your program.


## - Breakpoints

- Tell the simulator to stop executing when it reaches a specific instruction.
- Check overall results at specific points in the program. - Quickly execute sequences to get an overview of the behavior. - Quickly execute sequences that your believe are correct.


## - Watchpoints

- Tell the simulator to stop when a register or memory location changes or when it equals a specific value.
- Useful when you don't know where or when a value is changed.


## Tracing the Program

Tracing the Program
$\longrightarrow$

## Example 1: Multiply

- This program is supposed to multiply the two unsigned integers in R4 and R5.


```
x3200 0101010010100000
x3201 0001010010000100
x3202 0001101101111111
x32030000011111111101
x3204 1111000000100101
```

Set R4 = 10, R5 = 3 .

## Run program.

Result: R2 = 40, not 30


Example 2: Sum an Array of Numbers

- This program is supposed to sum the numbers stored in 10 locations beginning with x3100, leaving the result in R1.

$\times 30000101001001100000$ $\times 30010101100100100000$ $\times 30020001100100101010$ $\times 30030010010011111100$ $\times 30040110011010000000$ $\times 30050001010010100001$ x3006 0001001001000011 $\times 30070001100100111111$ $\times 30080000001111111011$ $\times 30091111000000100101$

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## Debugging the Summing Program

- Running the the data below yields $\mathrm{R} 1 \equiv x 0024$, but the sum should be $\times 8135$. What happened?

| Address | Contents |
| :---: | :---: |
| x3100 | x3107 |
| x3101 | x2819 |
| x3102 | x0110 |
| x3103 | x0310 |
| x3104 | x0110 |
| x3105 | x1110 |
| x3106 | x11B1 |
| x3107 | x0019 |
| x3108 | x0007 |
| x3109 | x0004 |

Change opcode of $\times 3003$
from 0010 (LD) to 1110 (LEA).

Example 3: Looking for a 5

- This program is supposed to set $R 0=1$ if there's a 5 in one ten memory locations, starting at x3100.
- Else, it should set R0 to 0 .

$\times 30000101000000100000$ $\times 30010001000000100001$ $\times 30020101001001100000$ $\times 30030001001001111011$ $\times 30040101011011100000$ $\times 30050001011011101010$ $\times 30060010100000001001$ $\times 30070110010100000000$ $\times 30080001010010000001$ $\times 30090000010000000101$ $\times 300 \mathrm{~A} 0001100100100001$ x300B 0001011011111111 $\times 300 \mathrm{C} 0110010100000000$ x300D 0000001111111010 $\times 300 \mathrm{E} 0101000000100000$ $\times 300 \mathrm{~F} 1111000000100101$ x3010 0011000100000000


## Debugging the Fives Program

- Running the program with a 5 in location $x 3108$ results in $\mathrm{RO}=0$, not $\mathrm{RO}=1$. What happened?



## Example 4: Finding First 1 in a Word

- This program is supposed to return (in R1) the bit position of the first 1 in a word. The address of the word is in location x3009 (just past the end of the program). If there are no ones, R1 should be set to -1 .


[^0]
## Debugging the First-One Program

- Program works most of the time, but if data is zero, it never seems to HALT.

| PC | R1 |
| :---: | ---: |
| $x 3007$ | 14 |
| $x 3007$ | 13 |
| $x 3007$ | 12 |
| $x 3007$ | 11 |
| $x 3007$ | 10 |
| $x 3007$ | 9 |
| $x 3007$ | 8 |
| $x 3007$ | 7 |
| $x 3007$ | 6 |
| $x 3007$ | 5 |


| PC | R1 |
| :---: | ---: |
| $x 3007$ | 4 |
| $\times 3007$ | 3 |
| $x 3007$ | 2 |
| $\times 3007$ | 1 |
| $x 3007$ | 0 |
| $\times 3007$ | -1 |
| $\times 3007$ | -2 |
| $\times 3007$ | -3 |
| $\times 3007$ | -4 |
| $x 3007$ | -5 |

## Breakpoint at backwards branch (x3007)

If no ones, then branch to HALT never occurs!
This is called an "infinite loop."
Must change algorithm to either
(a) check for special case ( $\mathrm{R} 2=0$ ), or
(b) exit loop if R1 $<0$.

## Debugging: Lessons Learned

- Trace program to see what's going on.
- Breakpoints, single-stepping
- When tracing, make sure to notice what's really happening, not what you think should happen.
- In summing program, it would be easy to not notice that address $\times 3107$ was loaded instead of $x 3100$.
- Test your program using a variety of input data.
- In Examples 3 and 4, the program works for many (but not all) data sets.
- Be sure to test extreme cases (all ones, no ones, ...).


[^0]:    x3000 0101001001100000
    x3001 0001001001101111
    $\times 30021010010000000110$
    $\times 30030000100000000100$
    x3004 0001001001111111
    $\times 30050001010010000010$
    x3006 0000100000000001
    x3007 0000111111111100
    x3008 1111000000100101
    $\times 30090011000100000000$

