

Recognizing Normal forms

There are 4 normal forms that we are concerned with in this class, 1NF, 2NF, 3NF, and BCNF. There are others – but we will save that for a future class.

BCNF.

For a relation to be in BCNF with respect to F (a set of Functional Dependencies), for each FD in F where $X \rightarrow A$, one of the two must be true.

- It is a trivial functional dependency of the form $A \rightarrow A$
- X is a superkey of R.

So let's look at a schema $R = (ABCDE)$ and $F = \{AB \rightarrow CDE, DE \rightarrow ABC\}$.

First we compute the attribute closure based on F.

$A^+ = A$

$B^+ = B$

$C^+ = C$

$D^+ = D$

$E^+ = E$

$AB^+ = ABCDE$

$DE^+ = ABCDE$

Given this, we know the candidate keys are AB and DE. Now we inspect each of the FDs in F to see if it violates BCNF.

The first FD is $AB \rightarrow CDE$. Is AB a key for R? Yes, so this does not violate BCNF.

The second FD is $DE \rightarrow ABC$. Is DE a key for R? Yes, so this does not violate BCNF.

The relation is in BCNF.

3NF

3NF has the same requirements as BCNF, with one additional

- It is a trivial functional dependency of the form $A \rightarrow A$ or
- X is a superkey of R . or
- A is a part of a key for R

Let's look at $R = (ABCDE)$ and $F = \{AB \rightarrow CDE, C \rightarrow B\}$

First we compute the attribute closure based on F .

$A^+ = A$

$B^+ = B$

$C^+ = BC$

$D^+ = D$

$E^+ = E$

$AB^+ = ABCDE$

$AC^+ = ABCDE$

Now we look at the FDs:

$AB \rightarrow CDE$ – AB is a key – check (Still in BCNF)

$C \rightarrow B$, B is a part of a key for R – check (Not in BCNF, but in 3NF)

The relation is in 3NF.

2NF

For 2NF, we go back to our phrase – every non-key attribute depends on the whole key.

The point here being that if you have a key (AB) and a functional dependency $B \rightarrow C$, the relation is not in 2NF. Every non-key value must depend on a whole key.

1NF

For 1NF, we go back to our phrase – every non-key attribute depends on the key. This says there must be a key for the relation – which says that every attribute in the relation is atomic (i.e. not multivalued)