

# Photometric Image Manipulation

Lecture #2

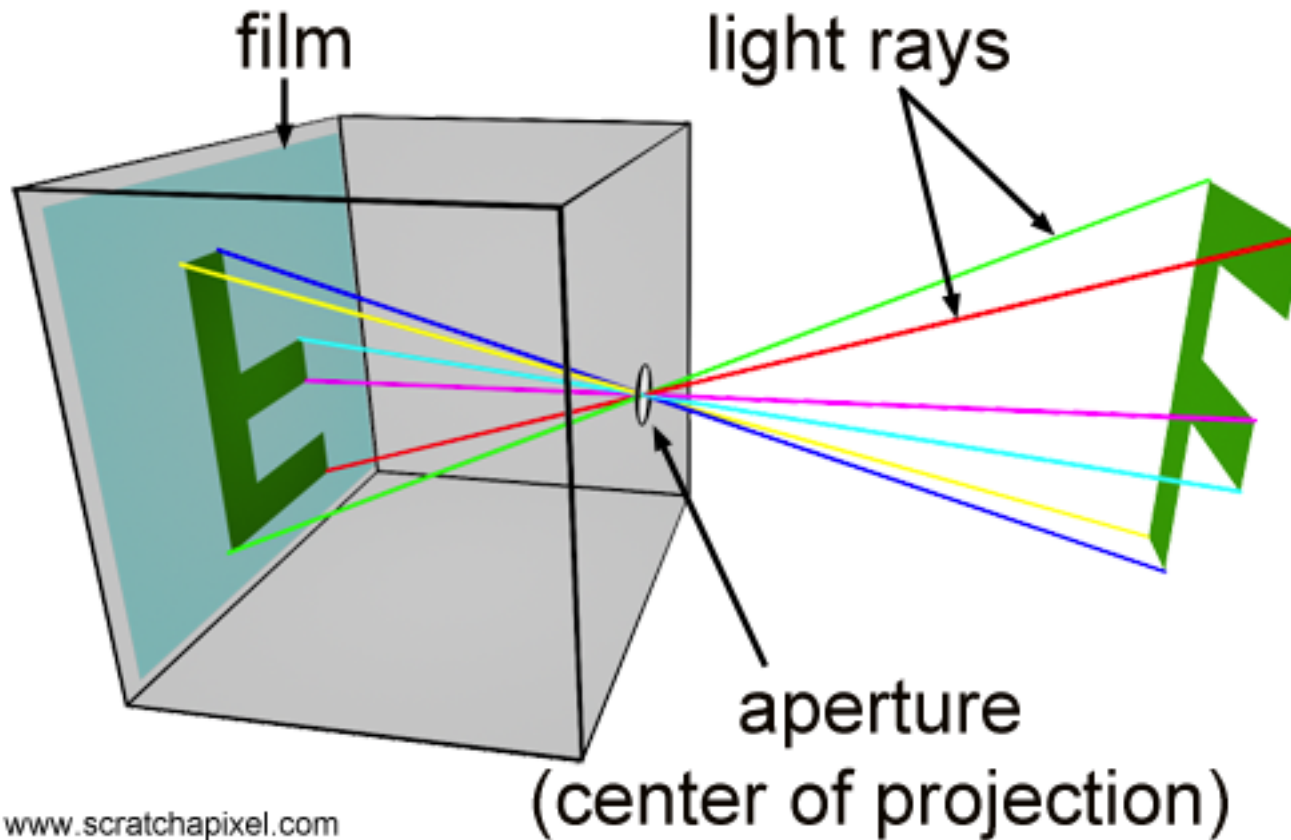
January 30, 2013

The logo for Colorado State University, featuring a green wavy line with yellow lines overlaid, and the text "Colorado State University" in a gold serif font.

Colorado State University

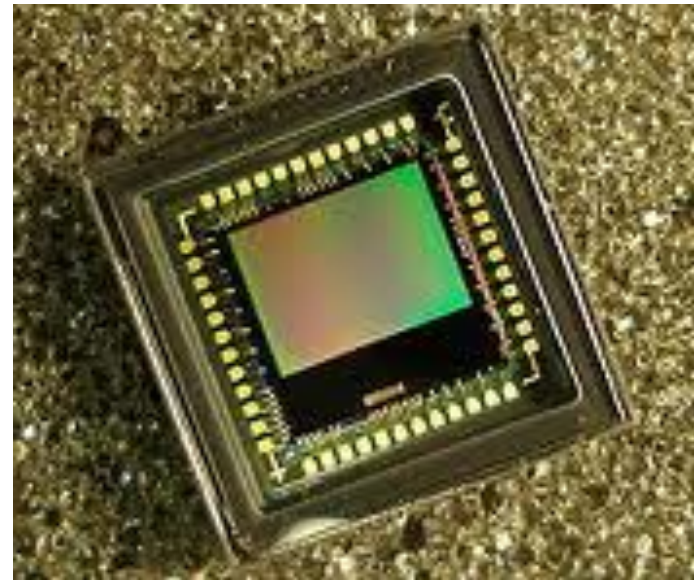
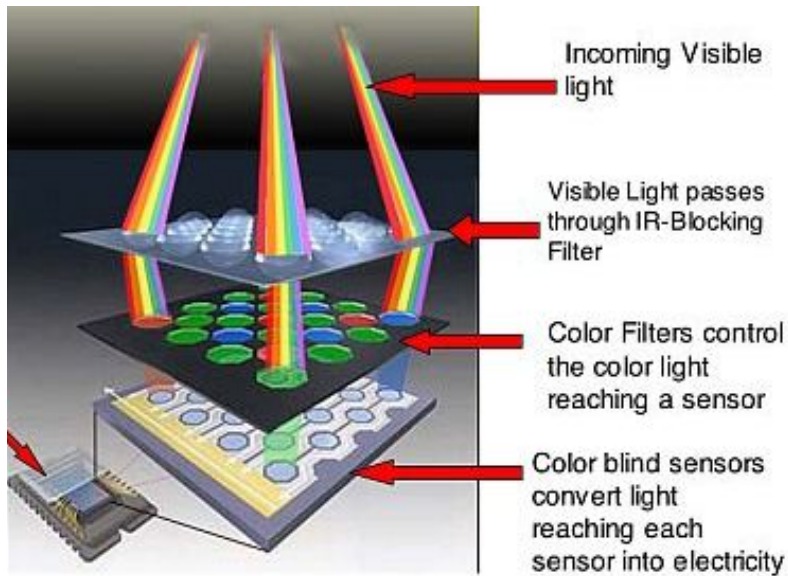
# Pinhole Camera Model

*Review from CS410*



# Photometric Values

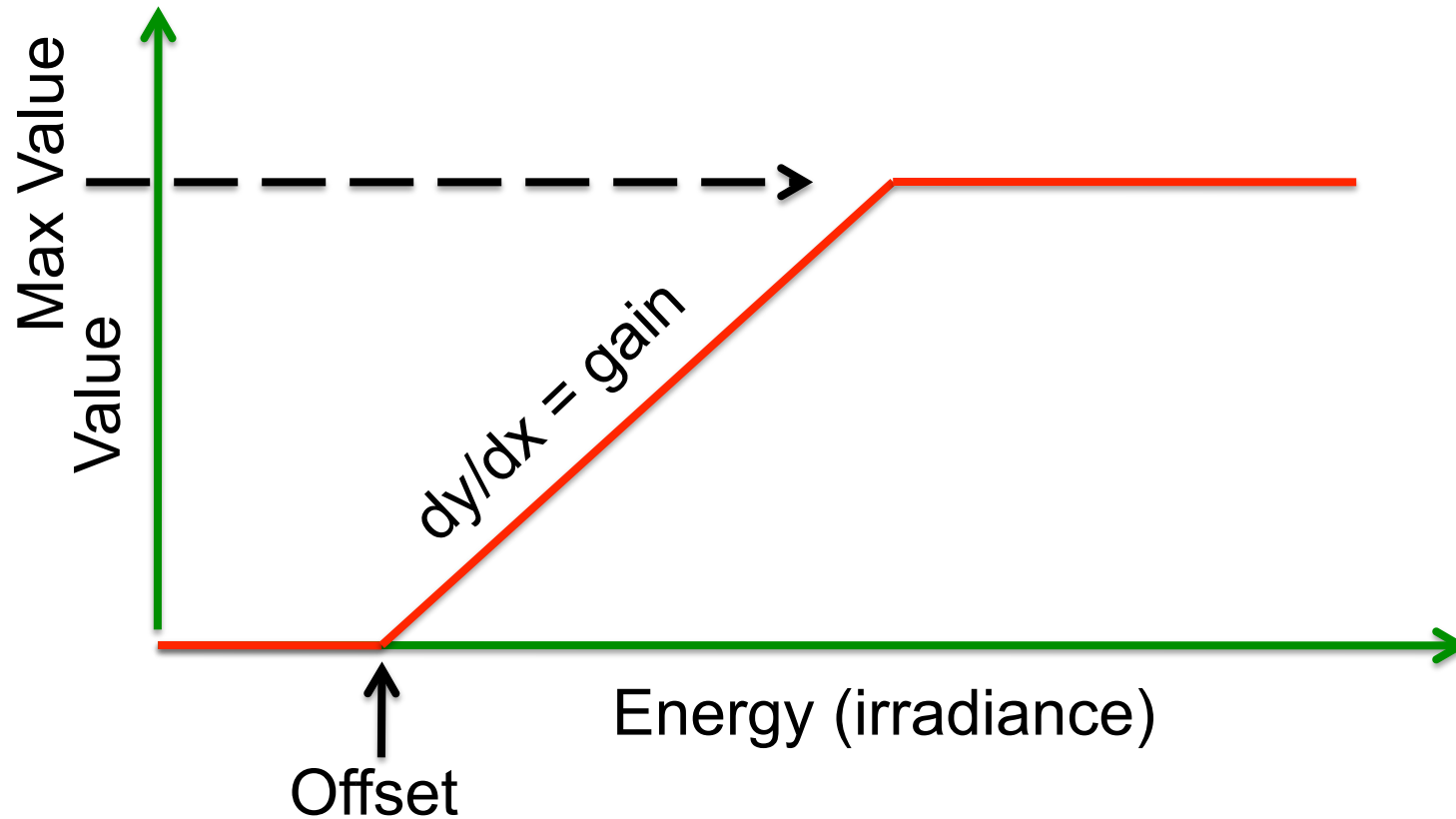
- What determines the value of a pixel?
  - Energy, obviously. The more the higher.
  - But how much energy is 0?
  - How much more energy is 1? Or 255?



# Photometric Values (II)

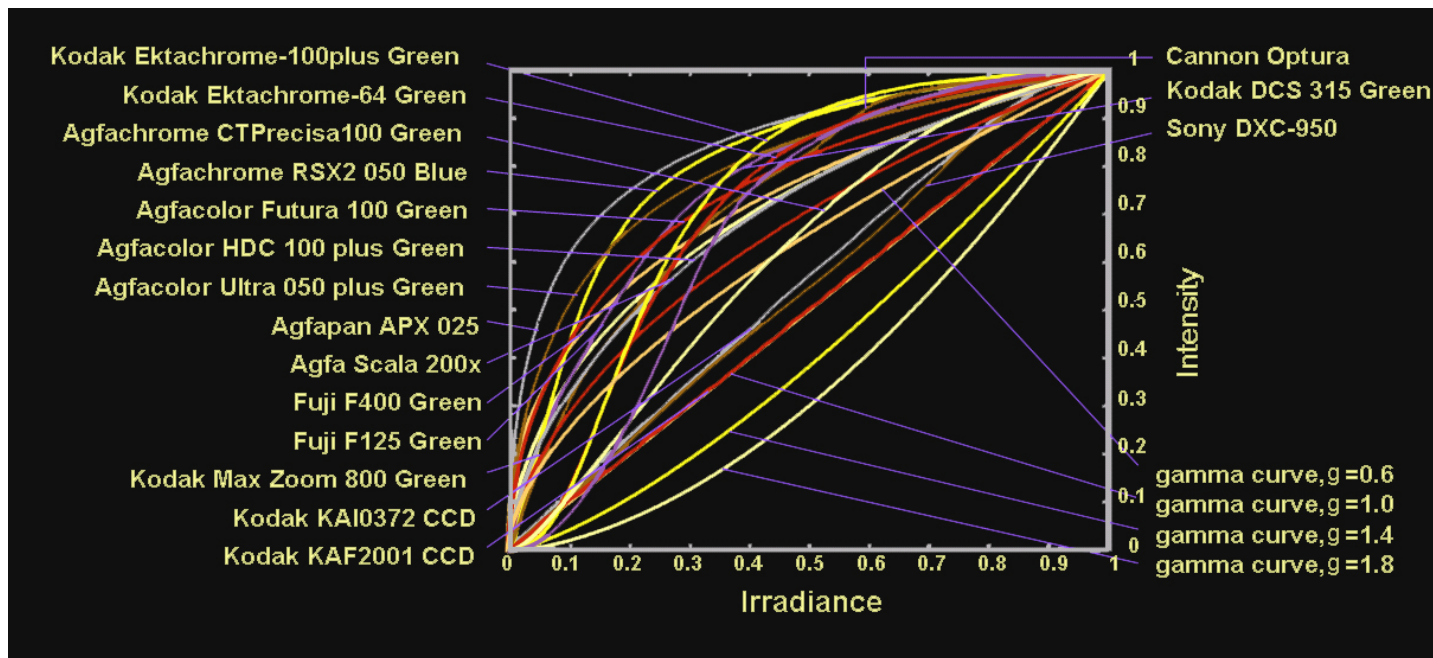
- Amount of light
- Two physical camera factors
  - Aperture
  - Shutter speed
- Three electronic camera factors
  - Offset ( ‘0’ level; a.k.a. brightness)
  - Gain (energy per increment; a.k.a. contrast)
  - Max Value (typically 255)

# Model of Photometric Responses



# Actual Photometric Responses

Responses for real cameras (from  
[http://www.cs.columbia.edu/CAVE/projects/rad\\_cal/](http://www.cs.columbia.edu/CAVE/projects/rad_cal/))



# Range Equalization

- Linearly rescale every image to 0 – 255
  - Source\_min is smallest observed value
  - Source\_max is largest observed value
  - Max value is largest possible value (e.g. 255)
- Compensates for differences in gain only

$$value = \max\_value \cdot \frac{(source - source\_min)}{(source\_max - source\_min)}$$

# Histogram Equalization

- The most common and effective photometric equalization technique
  - You will need this for the first homework
- Compensates (imperfectly) for differences in gain, offset and max value
- General idea: flatten the cumulative distribution
  - Bottom 10% of range should have 10% of pixels
  - Bottom 20% of range should have 20% of pixels
  - Etc.



# Histogram Equalization : Step 1

- Histogram the intensity values of the image
  - If source image is color,  $I = (R+G)/2$



# Histogram Equalization : Step 2

- Convert histogram into a cumulative density function (cdf)

$$cdf(I) = \underbrace{\frac{1}{N} \sum_{i=0}^{i=\text{max\_value}} H(i)}_{\text{Standard Definition}} = \underbrace{cdf(i-1) + \frac{1}{N} h(i)}_{\text{Incremental Definition}}$$

# Histogram Equalization : Step 3

- Reassign values based on cdf

$$I(x,y) = \text{max\_value} \cdot \text{cdf}(I'(x,y))$$

(In the equation above,  $I'$  is the image prior to histogram equalization, and  $I$  is the image post equalization)

# Histogram Equalization Discussion

- How well does histogram equalization compensate for differences in offset?
- How well does it compensate for differences in gain?
- How about differences in max value?
- How about non-linear responses?
  - Think about the data from Columbia earlier...